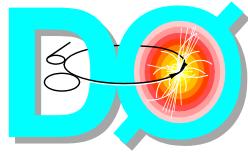
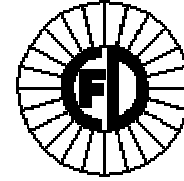


W and Z Production at the Tevatron



Recent Results



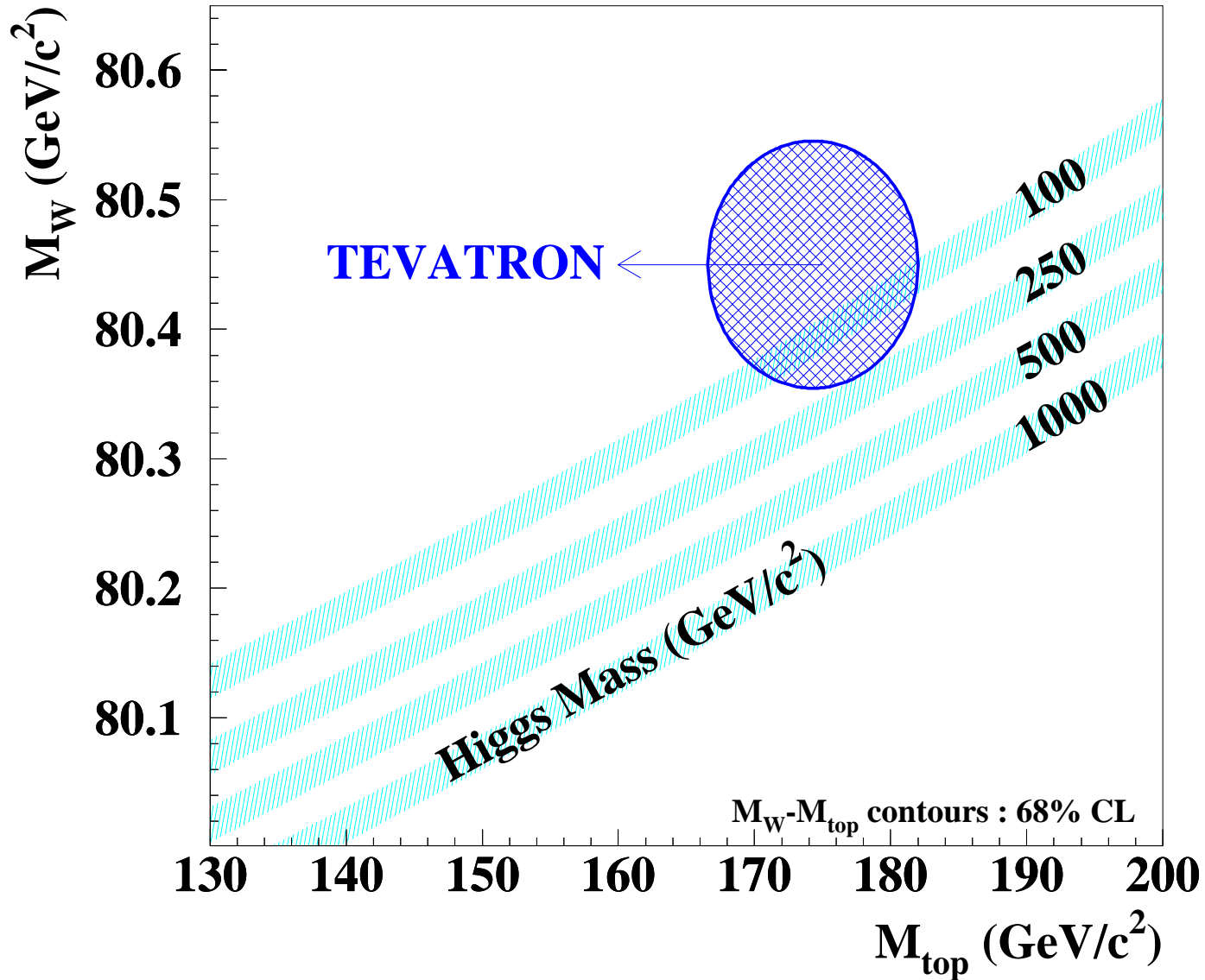
Cecilia Gerber

(University of Illinois at Chicago)

Outline

- Why?
- Methods
- Results
 - W&Z Production Cross Section and W width
 - The Differential p_T Cross Sections
 - W angular distribution
- Conclusions

Connections between W,Z Production, QCD and New Physics



Connections between W,Z Production, QCD and New Physics

W boson mass + top quark mass: Constrain Higgs mass

Current DØ $\delta M_W \sim 5 - 40$ MeV from P_T^W model
 $\delta M_W = 10$ MeV $\Rightarrow \delta M_H / M_H = 14\%$

Need precise model of W production and decay for Monte Carlos

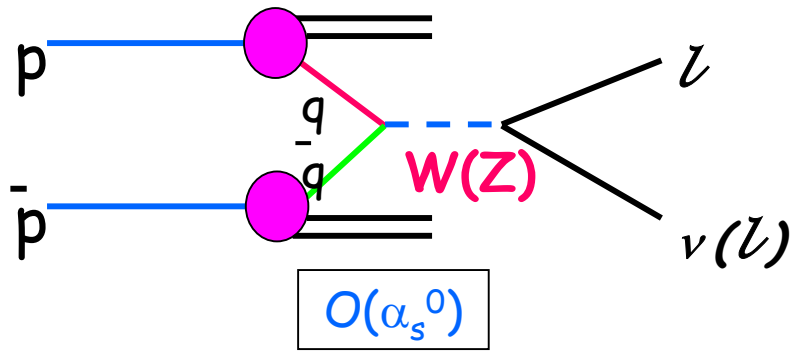
W mass measurements require low P_T^W

NLO QCD

Non-perturbative QCD

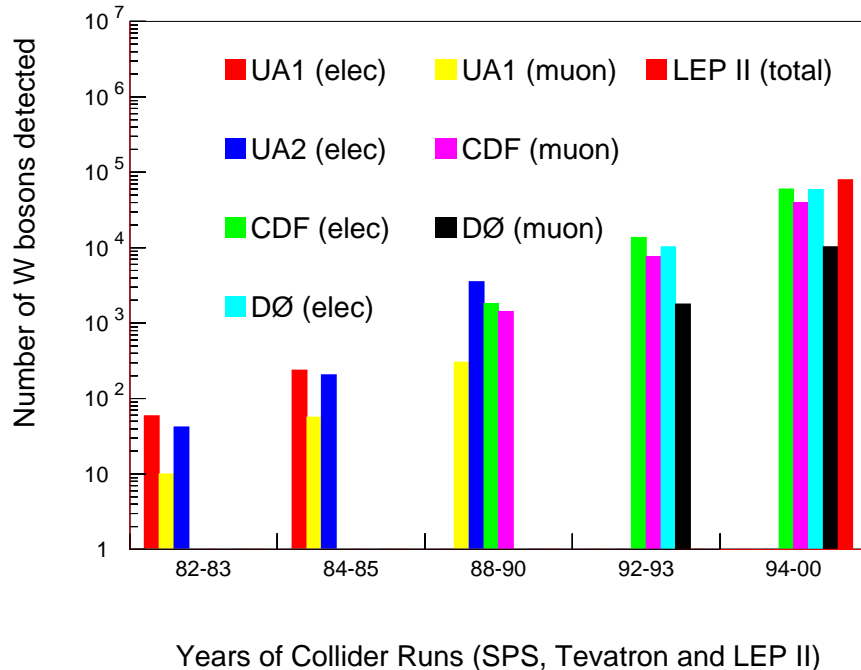
Resummation
techniques

Introduction to W & Z Production at the Tevatron



- Production dominated by $q\bar{q}$ annihilation
- Due to very large $pp \rightarrow jj$ production, need to use leptonic decays
 - $W \rightarrow l\nu$ (BR $\sim 11\%$ per mode)
 - $Z \rightarrow ll$ (BR $\sim 3\%$ per mode)

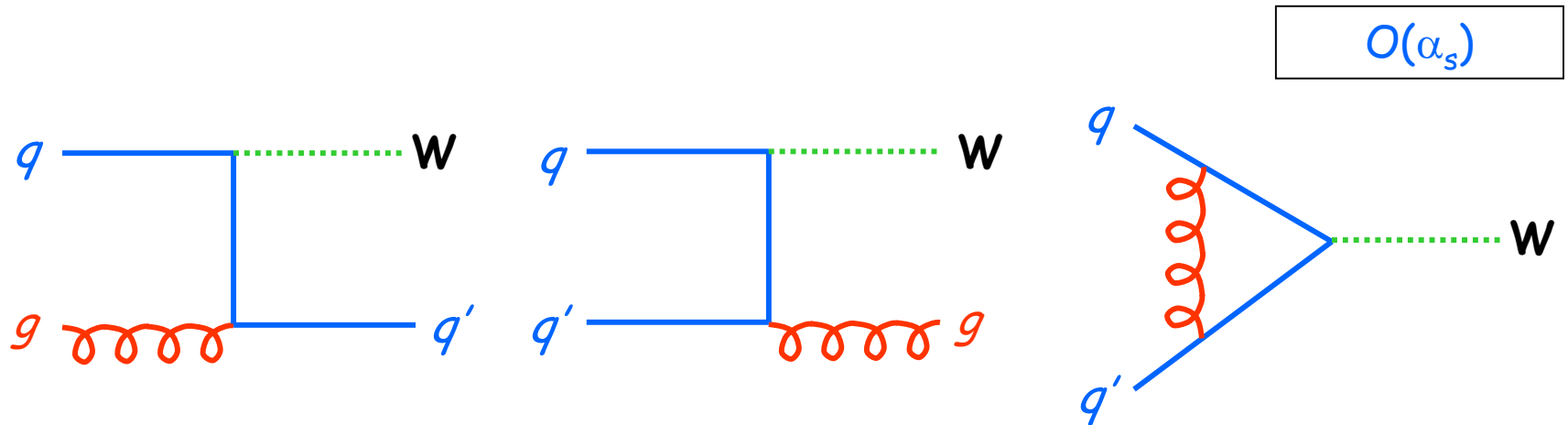
W Bosons Detected



- Distinctive event signatures
 - High P_T isolated leptons (e or μ)
 - One high P_T lepton + Missing E_T (W)
 - Two high P_T leptons (Z)
- Low backgrounds
- Large samples
- Well understood EW vertex

→ Test QCD

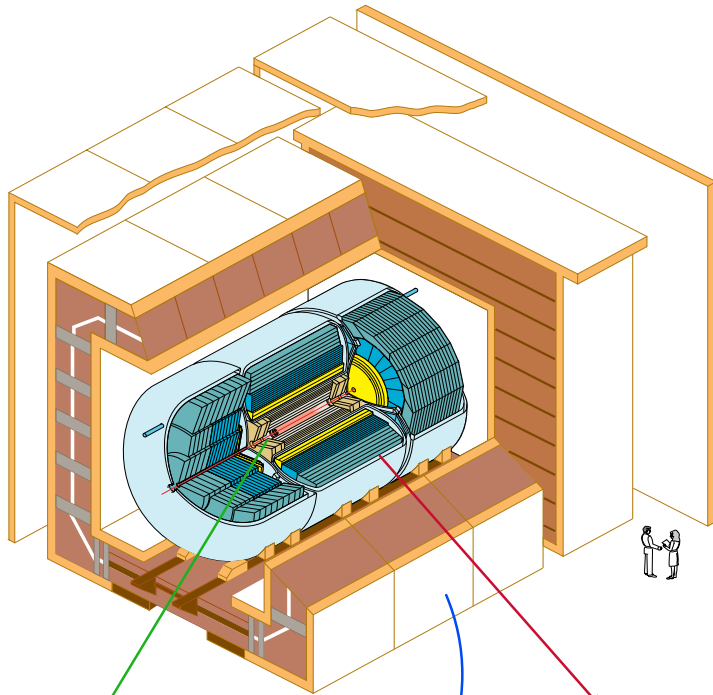
QCD Corrections: $O(\alpha_s)$



Modifications due to QCD corrections:

- Boson produced with transverse momentum ($\langle P_T \rangle \sim 10 \text{ GeV}$)
- Boson + jet events possible ($W + 1 \text{ jet} \sim 7\%$, $E_T^{\text{jet}} > 25 \text{ GeV}$)
- Inclusive cross sections larger (K factor $\sim 18\%$)
- Boson decay angular distribution modified

The Run 1 D0 Detector



TRACKING
 $\sigma(z \text{ vertex}) = 6 \text{ mm}$
 $\sigma(r\phi) = 60 \mu\text{m}$ (VTX)
 $= 180 \mu\text{m}$ (CDC)
 $= 200 \mu\text{m}$ (FDC)

MUON
 $|\eta| < 3.3$
 $\frac{\delta p}{p} = 0.2 \oplus 0.01p$

CALORIMETRY
 $|\eta| < 4$
 $\Delta\eta \times \Delta\phi = 0.1 \times 0.1$
 $\sigma(\text{EM}) = 15\% / \sqrt{E}$
 $\sigma(\text{HAD}) = 50\% / \sqrt{E}$

Electron Identification

- within good fiducial region of detector
- highly EM Object
- Longitudinal & Transversal Shower Profile
- Isolated from Jet activity

} Loose electron

- Central Detector track **Tight electron**

W → eν event selection

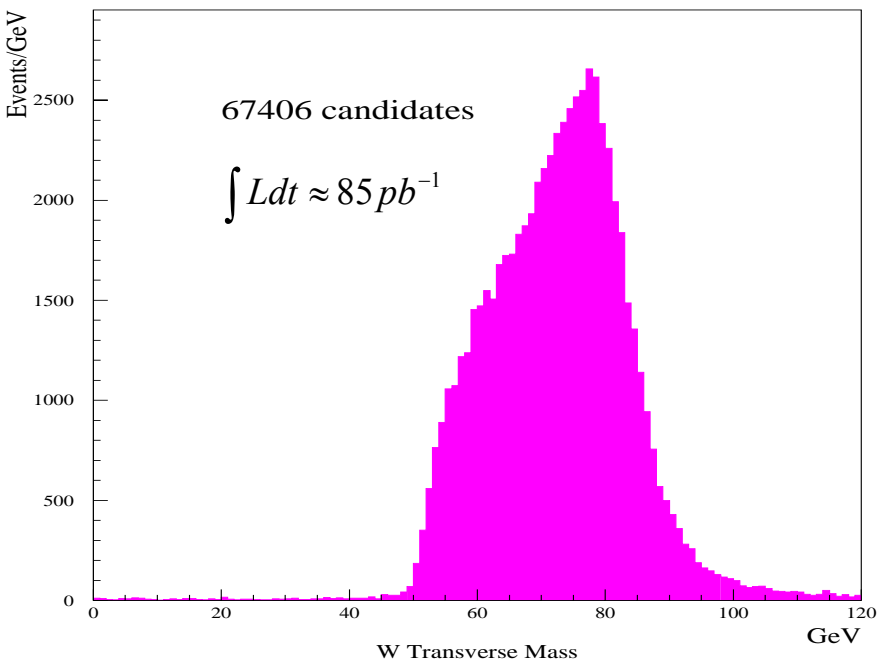
- One tight electron, $E_T > 25 \text{ GeV}$
- Missing $E_T > 25 \text{ GeV}$
- No second Loose electron with $E_T > 25 \text{ GeV}$

Z → ee event selection

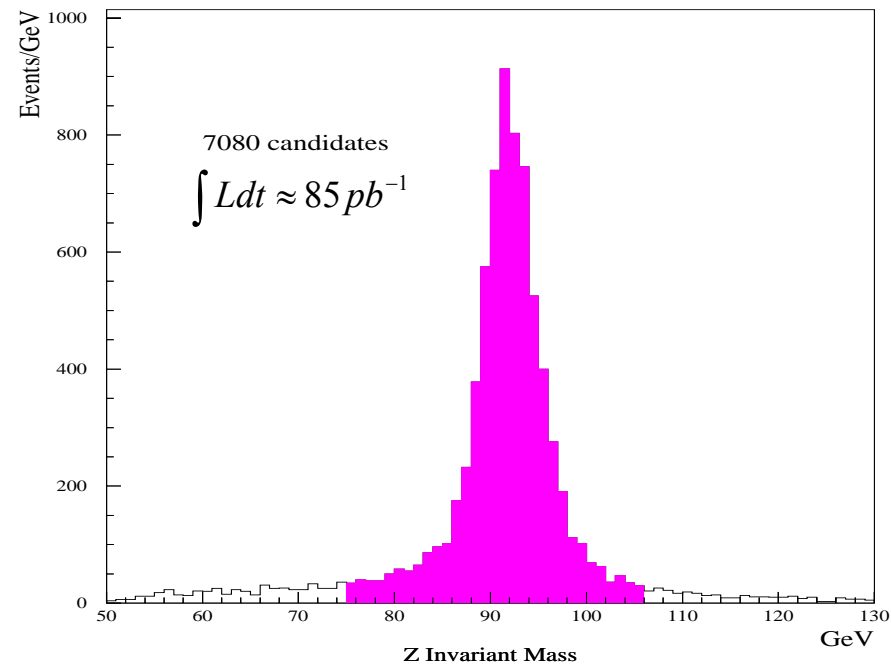
- One Tight and one Loose electron, both with $E_T > 25 \text{ GeV}$
- $76 \text{ GeV} < M_{ee} < 106 \text{ GeV}$

D0 W and Z candidate samples

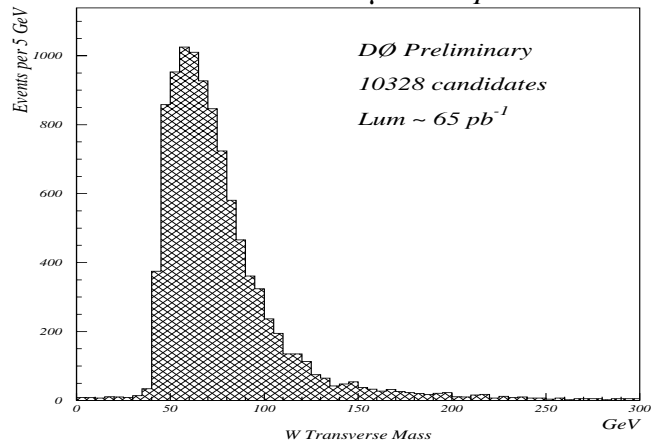
D0 $W \rightarrow e\nu$



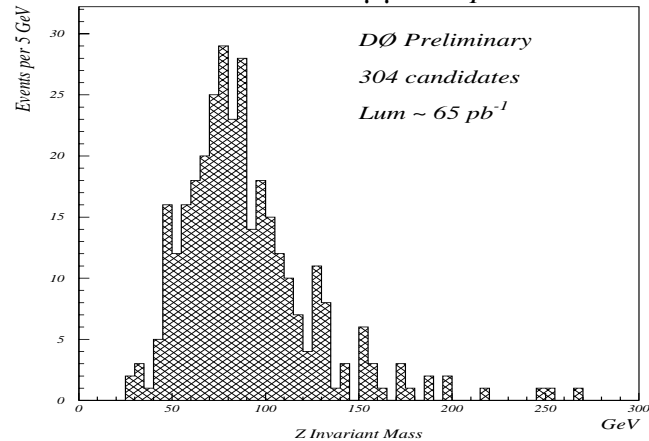
D0 $Z \rightarrow ee$



Run 1b $W \rightarrow \mu\nu$ Sample



Run 1b $Z \rightarrow \mu\mu$ Sample



Inclusive Cross Sections

$$\sigma(\bar{pp} \rightarrow B+X) B_R(B \rightarrow l_1 l_2) = \frac{N_{obs} - N_{bkgd}}{A \times \epsilon \times L}$$

Backgrounds

- Major source is QCD dijets (estimated from collider data)

Integrated Luminosity

Efficiencies
determined from $Z \rightarrow ee$ data

Acceptance
obtained from fast MC

Efficiency Determination

Determine the **single electron efficiency** from collider data, using a $Z \rightarrow ee$ "Parent" sample.

- Two EM objects in the good fiducial region
- $E_T > 25 \text{ GeV}$
- $86 \text{ GeV} < M_{ee} < 96 \text{ GeV}$
- One electron is tight
- Sample corrected for background contamination
- Second electron is unbiased & used to determine efficiency

$$\varepsilon^W(e) \sim 70\% \quad \varepsilon^Z(e) \sim 76\%$$

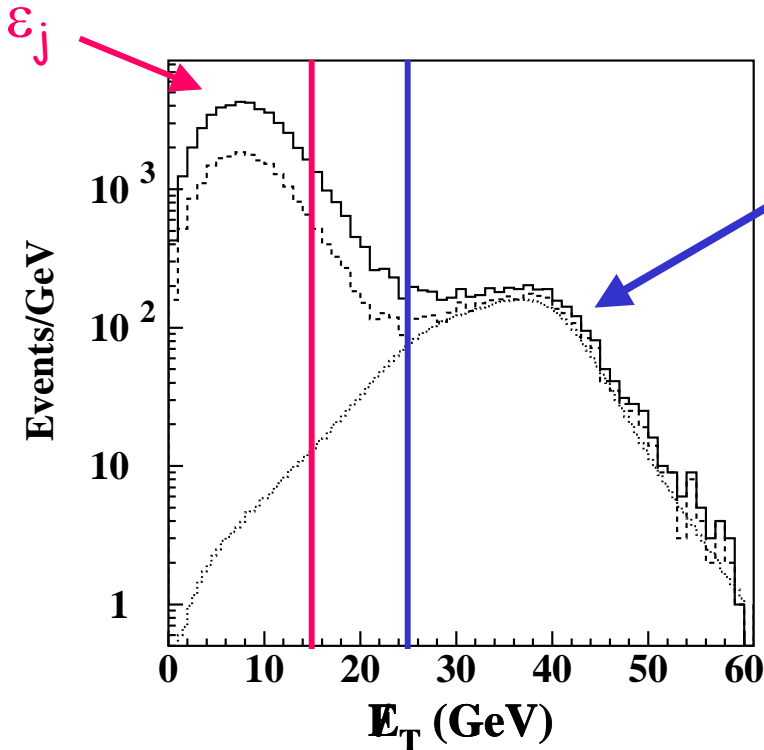
$$\varepsilon^W(\mu) \sim 26\% \quad \varepsilon^Z(\mu) \sim 52\%$$

W → eν Backgrounds

Major background source is **QCD dijet** events: one jet passes the electron identification and the mismeasured energy fakes the \cancel{E}_T

- Estimated using two samples with known efficiency and rejection.

- Assumes that all data with $\cancel{E}_T < 15 \text{ GeV}$ is background & that jet efficiency determined at low \cancel{E}_T holds in signal region.



$$\left. \begin{aligned} N_L &= N_S + N_B \\ N_T &= \varepsilon_S N_S + \varepsilon_j N_B \end{aligned} \right\} f_{QCD} = \frac{\varepsilon_j N_B}{N_T}$$

$$f_{QCD}(CC) \sim 5\% \quad f_{QCD}(EC) \sim 14\%$$

- Remaining backgrounds

$$W \rightarrow \tau \nu, \quad Z \rightarrow \tau \tau, \quad Z \rightarrow e e$$

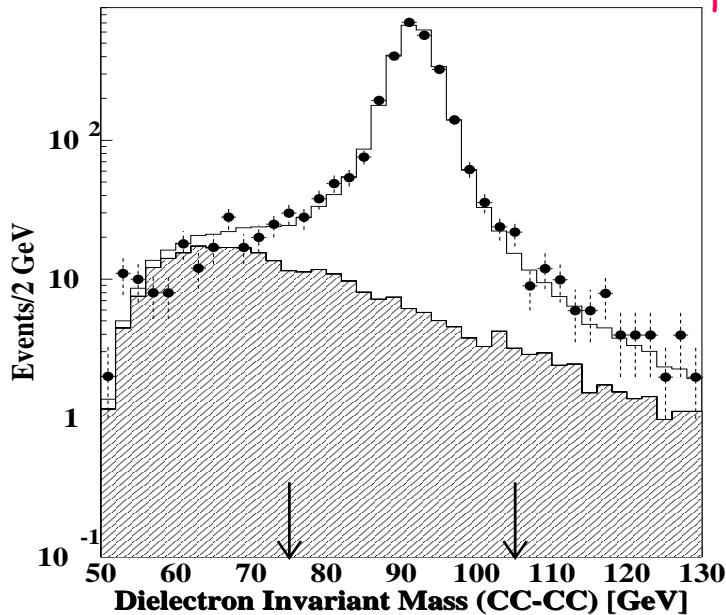
estimated using Monte Carlo samples

$$f_\tau \sim 2\% \quad f_{Zee} \sim 0.5\%$$

Z → ee Backgrounds

Major background source is QCD dijet and direct photon events with jets faking electrons

- Estimated by fitting the data to Signal $Z \rightarrow ee$ from Monte Carlo plus Background from data.



$f_{\text{QCD}}(\text{CC},\text{CC}) \sim 2\%$, $f_{\text{QCD}}(\text{CC},\text{EC}) \sim 7\%$, $f_{\text{QCD}}(\text{EC},\text{EC}) \sim 5\%$

- Remaining backgrounds
Drell-Yan, $Z \rightarrow \tau\tau$ estimated from Monte Carlo samples

$f_{\text{DY}} \sim 1\%$ $f_{\tau} \sim \text{negligible}$

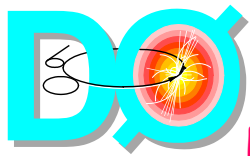
Acceptance Calculation

Kinematic and geometric Acceptance obtained from a **parametric** representation of the D0 detector ("fast Monte Carlo")

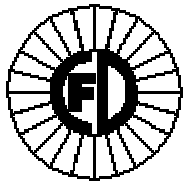
- $\frac{d\sigma}{dm^W}$ From momentum dependent Breit-Wigner times Parton Luminosity Function
- $\frac{d\sigma}{dp_T dy}$ From Ladinsky-Yuan PRD50, 4239 (small p_T) and NLO pQCD Nucl.PhysB319, 37 (high p_T)
- W decay from Mirkes Nucl.Phys.B387, 3 and Berends&Kleiss ($e\nu\gamma$) Z.PhysC27, 365.
- Detector resolutions determined from data and parametrized as a function of energy and angle.

$$A^W(e) \sim 45\% \quad A^Z(e) \sim 35\%$$

$$A^W(\mu) \sim 21\% \quad A^Z(\mu) \sim 5\%$$



Inclusive Cross Sections



PRL 75, 1456 (95), PRD 60, 52003 (99), PRD 61, 72001 (00)

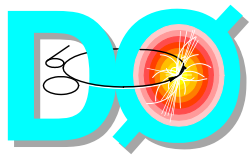
$\sigma(W) \times BR(W \rightarrow l\nu) \text{ (nb)}$

$\sigma(Z) \times BR(Z \rightarrow ll) \text{ (nb)}$

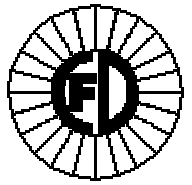
D \emptyset , e, 1b	Published	$2.31 \pm 0.01 \pm 0.05 \pm 0.10$	$0.221 \pm 0.003 \pm 0.004 \pm 0.010$
D \emptyset , e, 1a	Published	$2.28 \pm 0.02 \pm 0.08 \pm 0.10$	$0.211 \pm 0.008 \pm 0.008 \pm 0.009$
D \emptyset , μ , 1b	Preliminary	$2.31 \pm 0.08 \pm 0.10$	$0.170 \pm 0.023 \pm 0.023 \pm 0.007$
D \emptyset , μ , 1a	Published	$2.02 \pm 0.06 \pm 0.22 \pm 0.09$	$0.172 \pm 0.022 \pm 0.021 \pm 0.008$
CDF, e, 1b	Published		$0.246 \pm 0.005 \pm 0.003 \pm 0.010$
CDF, e, 1a	Published	$2.49 \pm 0.02 \pm 0.08 \pm 0.09$	$0.231 \pm 0.008 \pm 0.009$
CDF, μ , 1b	Updated		$0.237 \pm 0.011 \pm 0.009$
CDF, μ , 1a	Published		$0.217 \pm 0.017 \pm 0.008$
CDF, μ , Run 1	Published		0.233 ± 0.013

- **Measurement errors:** Stat \oplus Sys \sim 2%, Luminosity error \sim 4%
- **Theory error:** \sim 3%, NNLO, $O(\alpha_s^2)$ (Hamberg, van Neerven, Matsuura)
Dominated by PDF's at NLO...(need NNLO)
- **NB: Luminosity determination:** $L(\text{DO}) = 1.062 \times L(\text{CDF})$

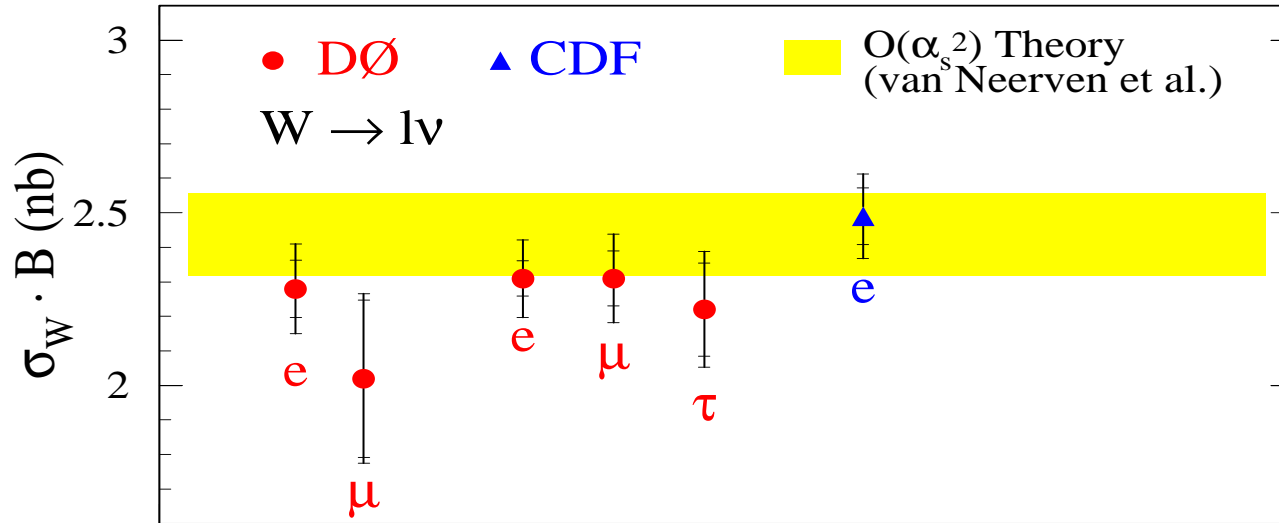
DO uses world avg. $\sigma(\text{pp})_{\text{inel}}$, CDF uses CDF measurement



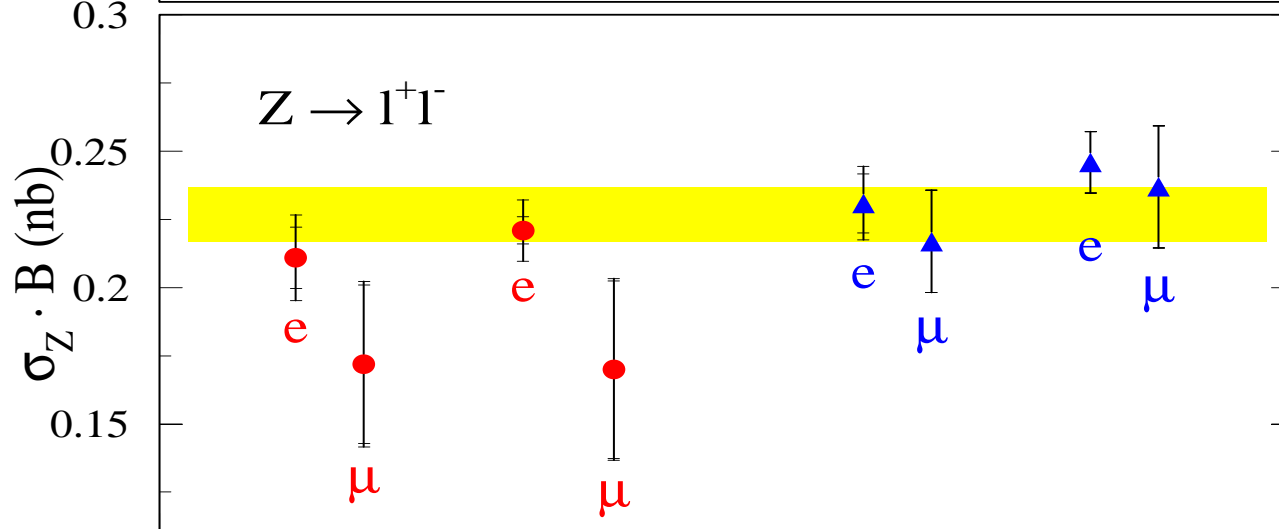
Inclusive Cross Sections



$$\sqrt{s} = 1800 \text{ GeV}$$



← NNLO theory



← NNLO theory

6.2% offset, i.e.
 $1.062 \times \sigma_{DØ} \rightarrow \sigma_{CDF}$

Data set: 92/93 94/96 92/93 94/96

Measurement of the W width

Measured:

$$\sigma(pp \rightarrow W + X) \times BR(W \rightarrow l\nu)$$

$$\sigma(pp \rightarrow Z + X) \times BR(Z \rightarrow ll)$$

Form ratio:

$$R \equiv \frac{\sigma(pp \rightarrow W + X) \times BR(W \rightarrow l\nu)}{\sigma(pp \rightarrow Z + X) \times BR(Z \rightarrow ll)}$$

$$= \frac{\sigma(W)}{\sigma(Z)} \times \frac{\Gamma(Z)}{\Gamma(Z \rightarrow ll)} \times \frac{\Gamma(W \rightarrow l\nu)}{\Gamma(W)}$$

SM EW

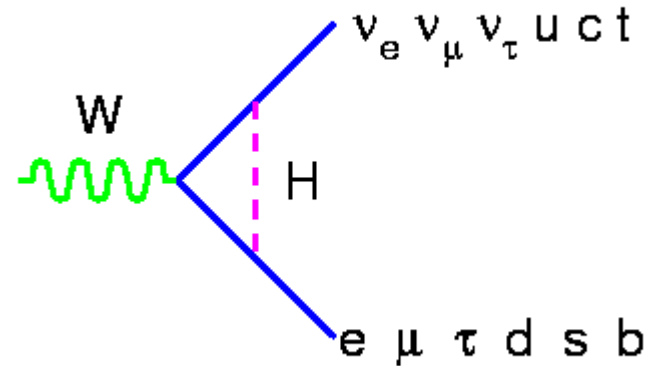
Perturbative QCD

LEP measurement

W Width

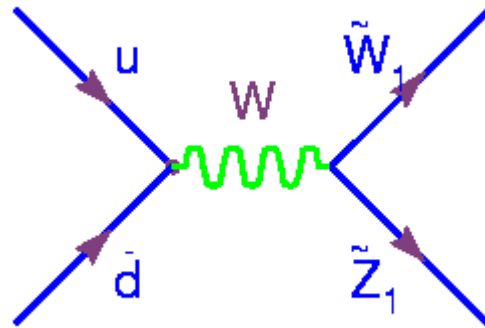
Indirect vs Direct W Width Measurements

Vertex Corrections: same for quarks and leptons, so cancel in $BR(W \rightarrow l\nu)$



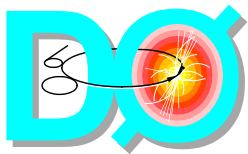
Rosner, Worah, Takeuchi,
hep-ph/9309307

W decays:



Kalinowski and Zerwas
hep-ph/9702386

Indirect has no sensitivity to corrections to the coupling of the W to fermions, but is sensitive to possible non-standard model decay modes of the W.



$$R \equiv \frac{\sigma(p\bar{p} \rightarrow W + X) \times BR(W \rightarrow e\nu)}{\sigma(p\bar{p} \rightarrow Z + X) \times BR(Z \rightarrow ee)}$$

PRD 61, 72001 (2000)

$R = 10.43 \pm 0.15 \text{ (stat)} \pm 0.20 \text{ (sys)} \pm 0.10 \text{ (theory)}$

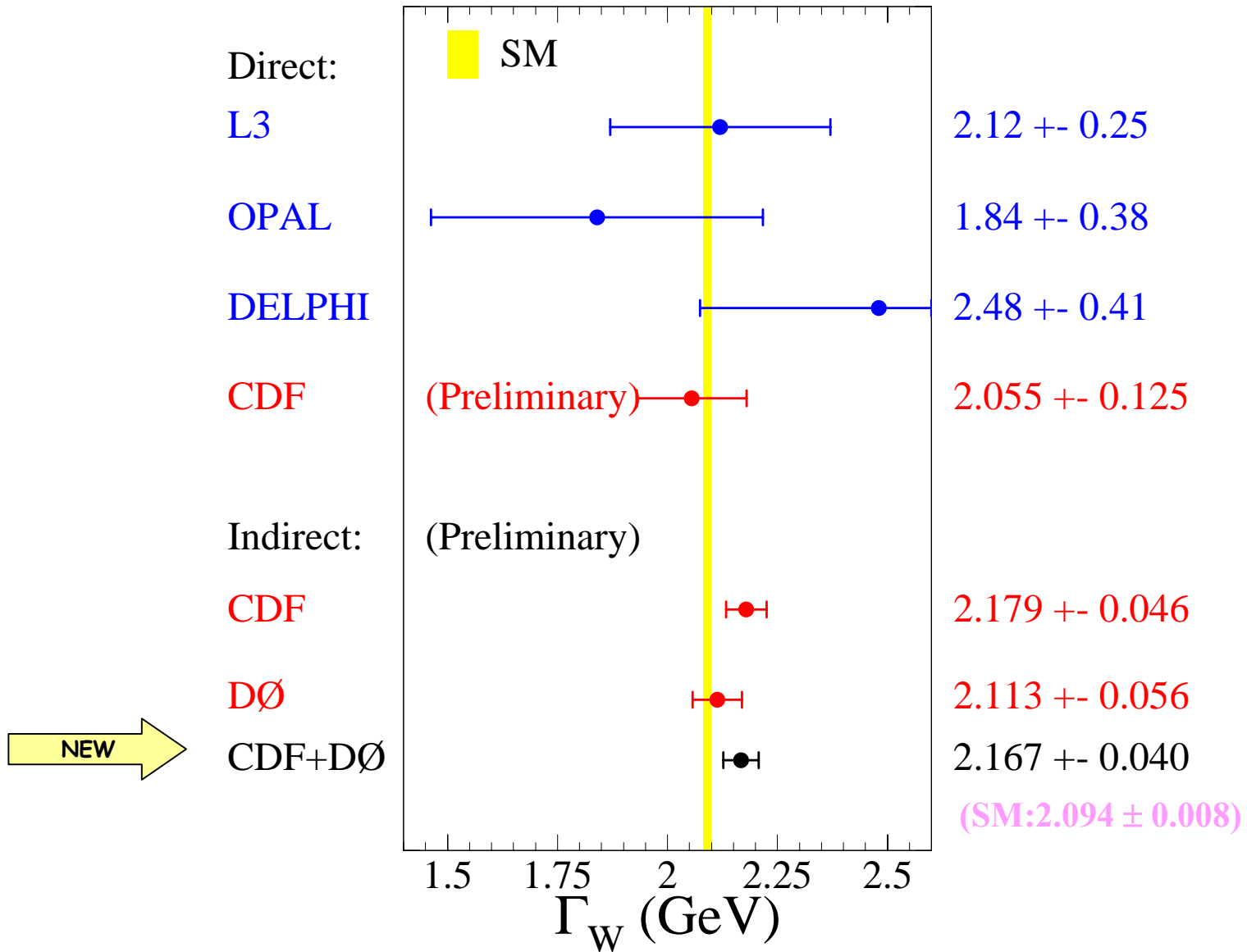
$B(W \rightarrow e\nu) = 0.1066 \pm 0.0015 \pm 0.0021 \pm 0.0016$

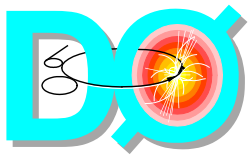
Source of uncertainty	Size
backgrounds to the W sample from di-jets	0.158
statistics of the Z sample	0.149
ratio of W and Z acceptance	0.095
ratio of the lepton identification efficiencies for W's and Z's	0.063
backgrounds to the Z sample from di-jets	0.054
backgrounds to the W sample from Z's	0.029
background to $W \rightarrow e\nu$ from $W \rightarrow \tau\nu$	0.022
NLO corrections to $Z \rightarrow ee\gamma$	0.104
sum of systematic uncertainties	0.205
sum	0.274

2.6% total error

Luminosity error cancels in the ratio

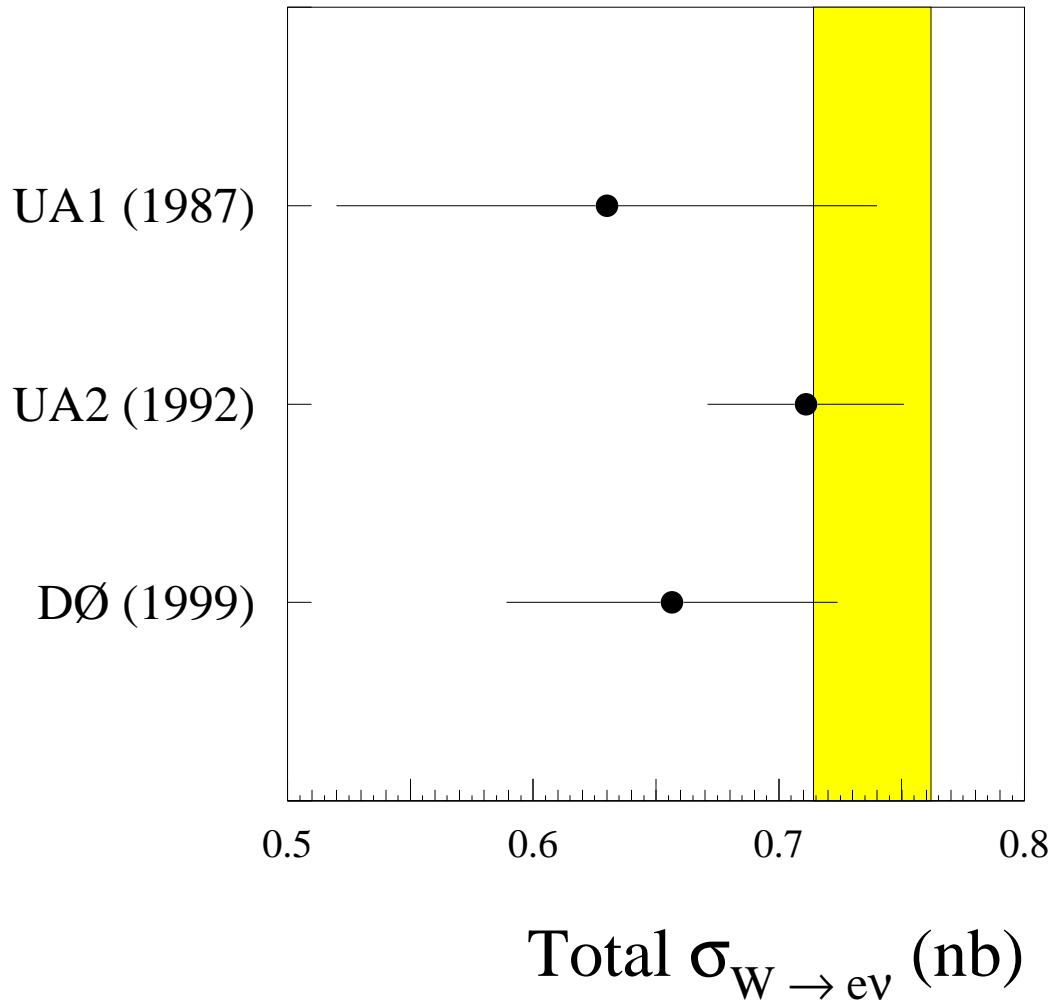
W Width





Inclusive Cross Sections

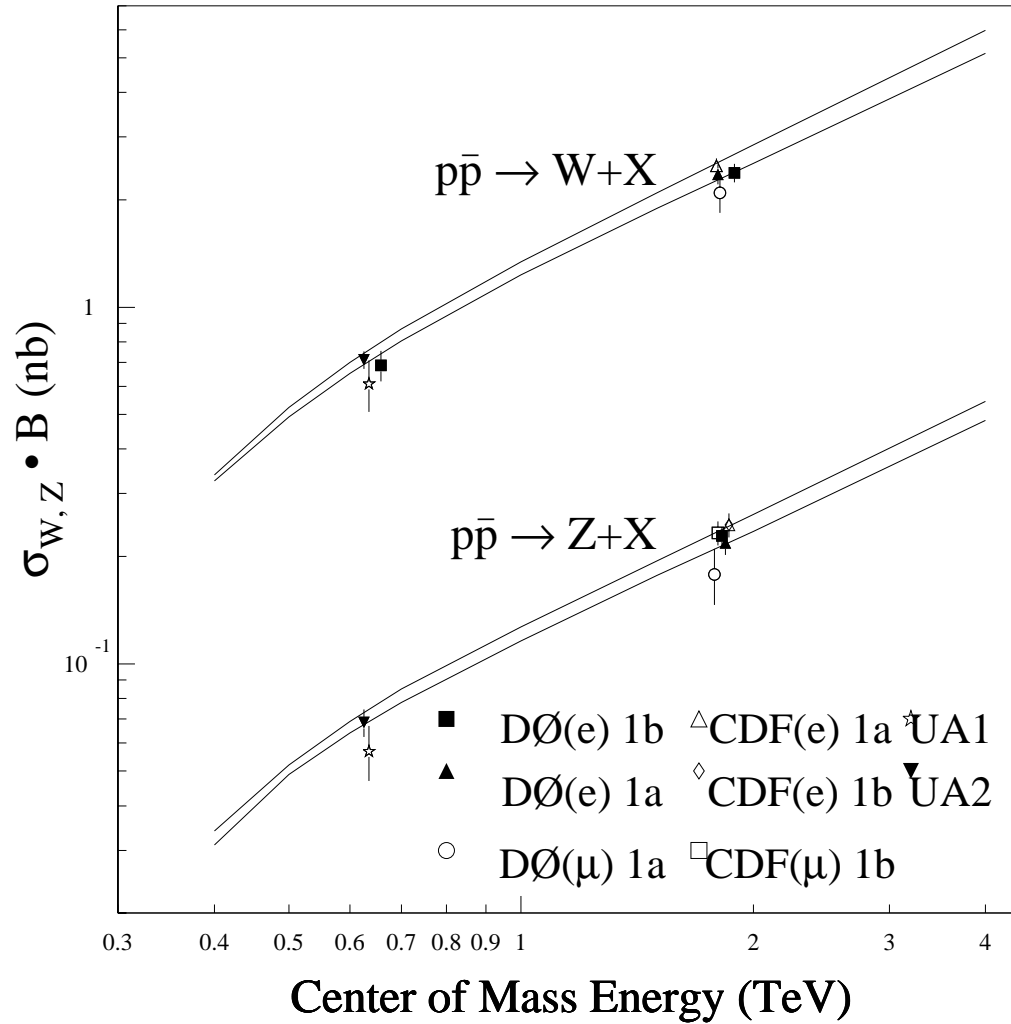
$$\sqrt{s} = 630 \text{ GeV}$$



PRD 61, 72001 (2000)

$$\sigma(p\bar{p} \rightarrow WX) = 658 \pm 67 \text{ pb}$$

Inclusive Cross Sections



Introduction to $W, Z P_T$ Theory

$$\frac{d\sigma}{dp_T^2} \sim \frac{\alpha_s}{p_T^2} \ln\left(\frac{Q^2}{p_T^2}\right) \left[v_1 + v_2 \alpha_s \ln^2\left(\frac{Q^2}{p_T^2}\right) \right]$$

- **Large P_T region** ($P_T \geq 30 \text{ GeV}$): Use pQCD, $O(\alpha_s^2)$ calculations exist

Ellis, Martinelli, Petronzio (83); Arnold & Reno (89);
Arnold, Ellis, Reno (89); Gonsalves, Pawlowski, Wai (89)

- **Small P_T region** ($\Lambda_{\text{QCD}} < P_T < 10 \text{ GeV}$): Resum large logs

Altarelli, Ellis, Greco, Martinelli (84); Collins, Soper, Sterman (85)

- **Very low P_T region** ($P_T \sim \Lambda_{\text{QCD}}$): Non-perturbative parameters extracted from data

b-space:

Parisi-Petronzio (79); Davies-Stirling (84); Collins-Soper-Sterman (85); Davies, Webber, Stirling (85); Arnold-Reno-Ellis (89); **AK**: Arnold-Kaufmann (91); **LY**: Ladinsky-Yuan (94)

pt-space:

Dokshitzer-Diaknov-Troian (80); Ellis-Stirling (81); Altarelli-Ellis-Greco-Martinelli (84); Gonsalves-Pawlowski-Wai (89); **ERV**: Ellis-Ross-Veseli (97); Ellis-Veseli (98)

Differential $P_T(W)$ & $P_T(Z)$ Cross Sections

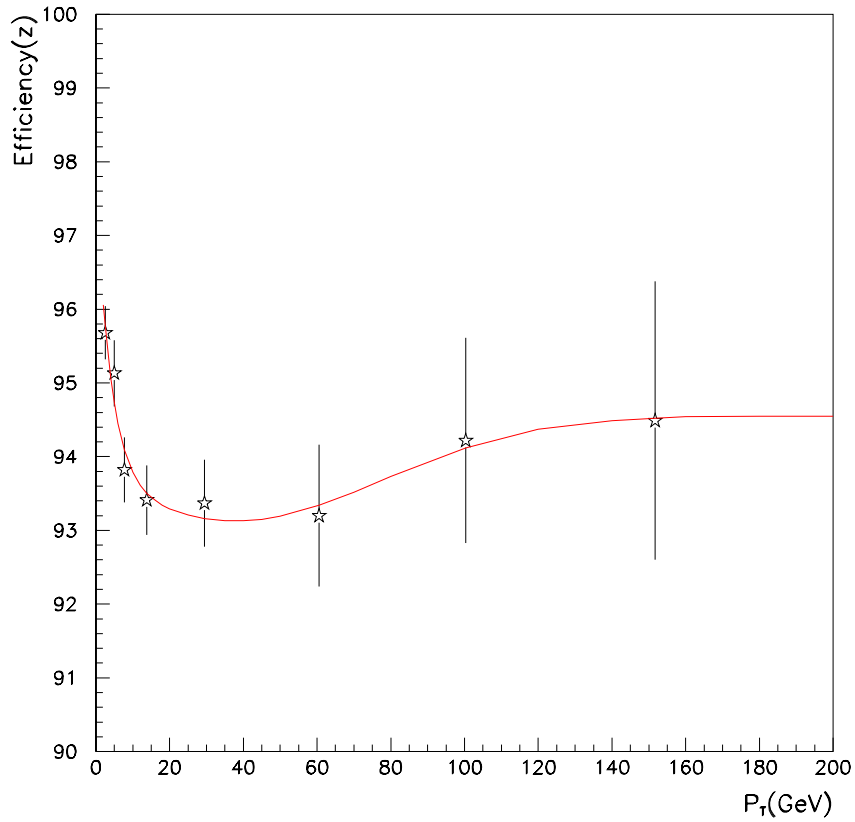
Need to determine all quantities as a function of P_T

$$\frac{d\sigma}{dp_T^i} = \frac{d_i - b_i}{a_i \times \varepsilon_i \times L \times \Delta p_T^i}$$

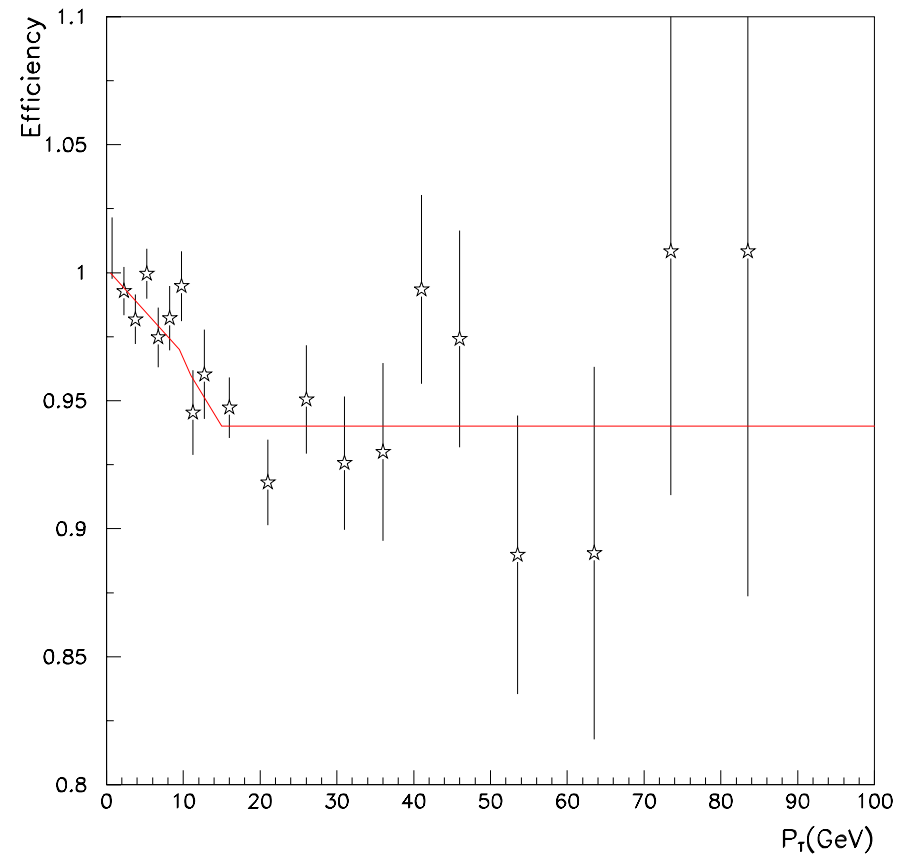
- **Acceptance** vs P_T obtained from Fast Monte Carlo
- **Efficiency** vs P_T obtained from Herwig W&Z events with full detector simulation and overlaid with zero bias events.
- **Backgrounds** vs P_T obtained from data (QCD) and Monte Carlo (physics)
- **Measurement corrected for acceptance and detector effects using an iterative unfolding method.**
- **Previous measurements by UA1, UA2, CDF (Run 0) and D0 (Run 1A).**

Selection efficiencies vs P_T

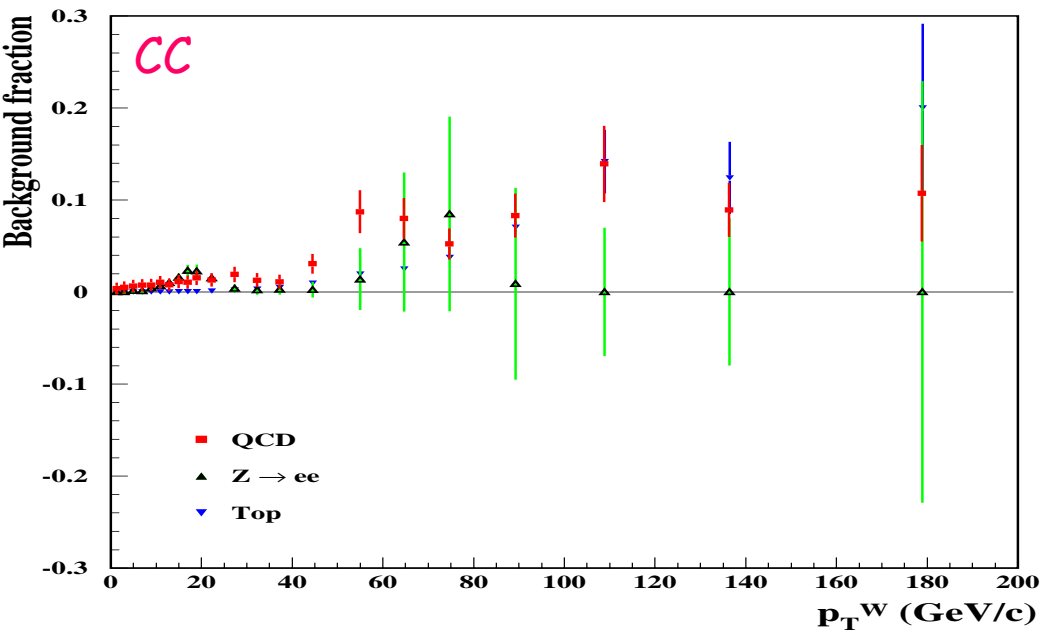
$W \rightarrow ev$



$Z \rightarrow ee$

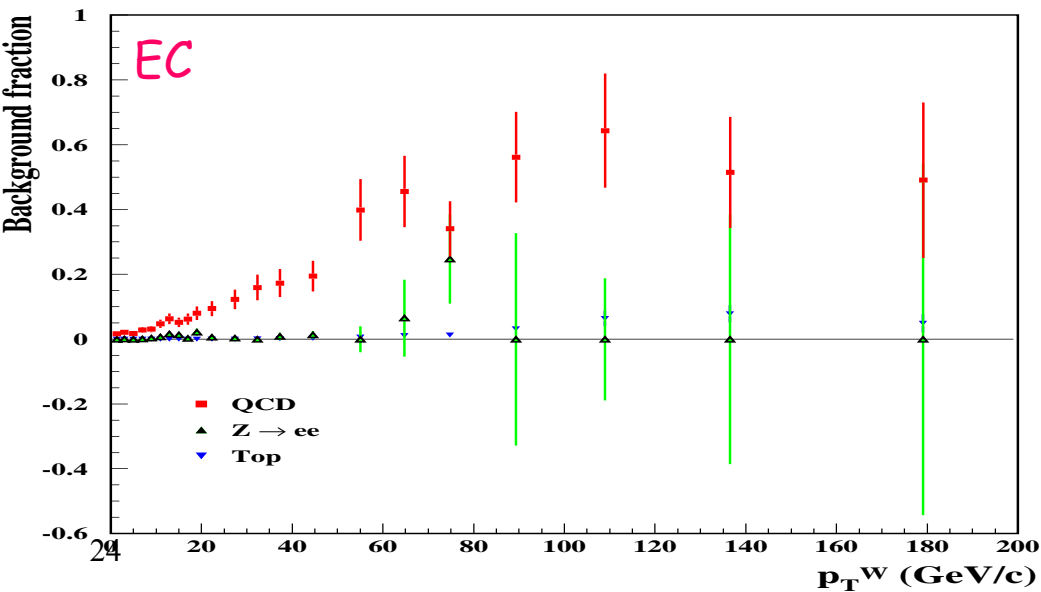
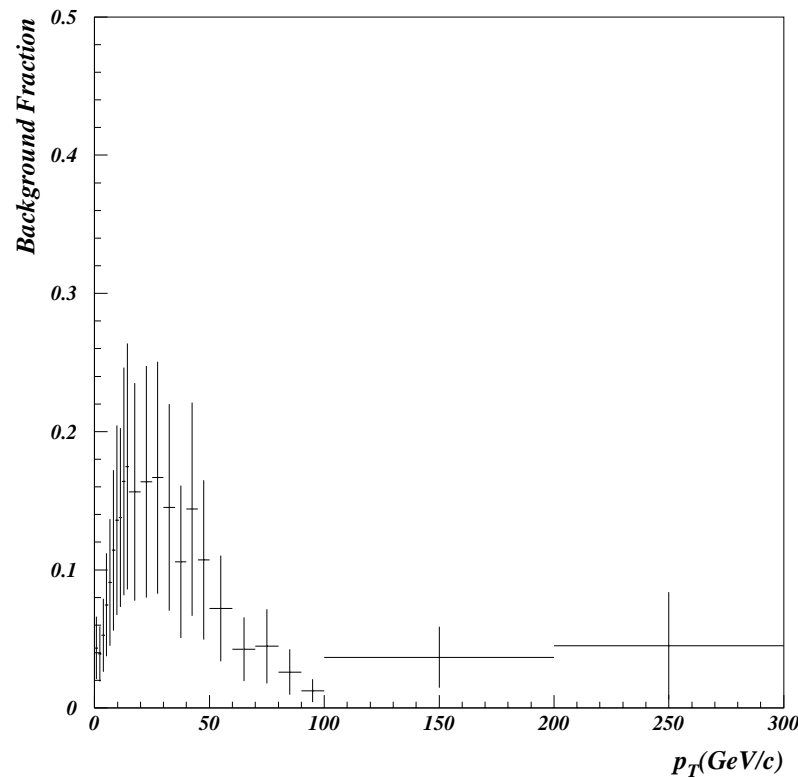


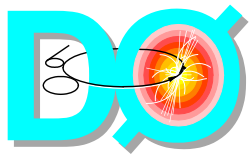
$W \rightarrow ev$



Backgrounds vs P_T

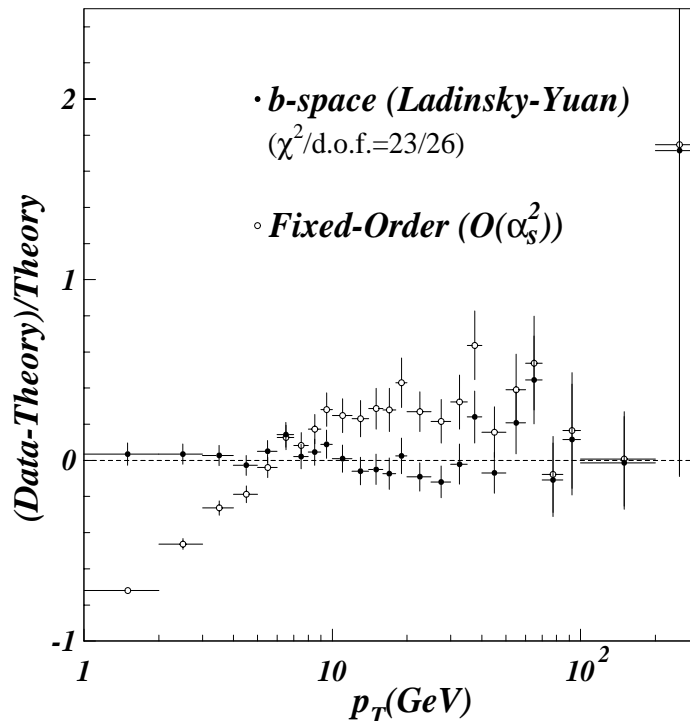
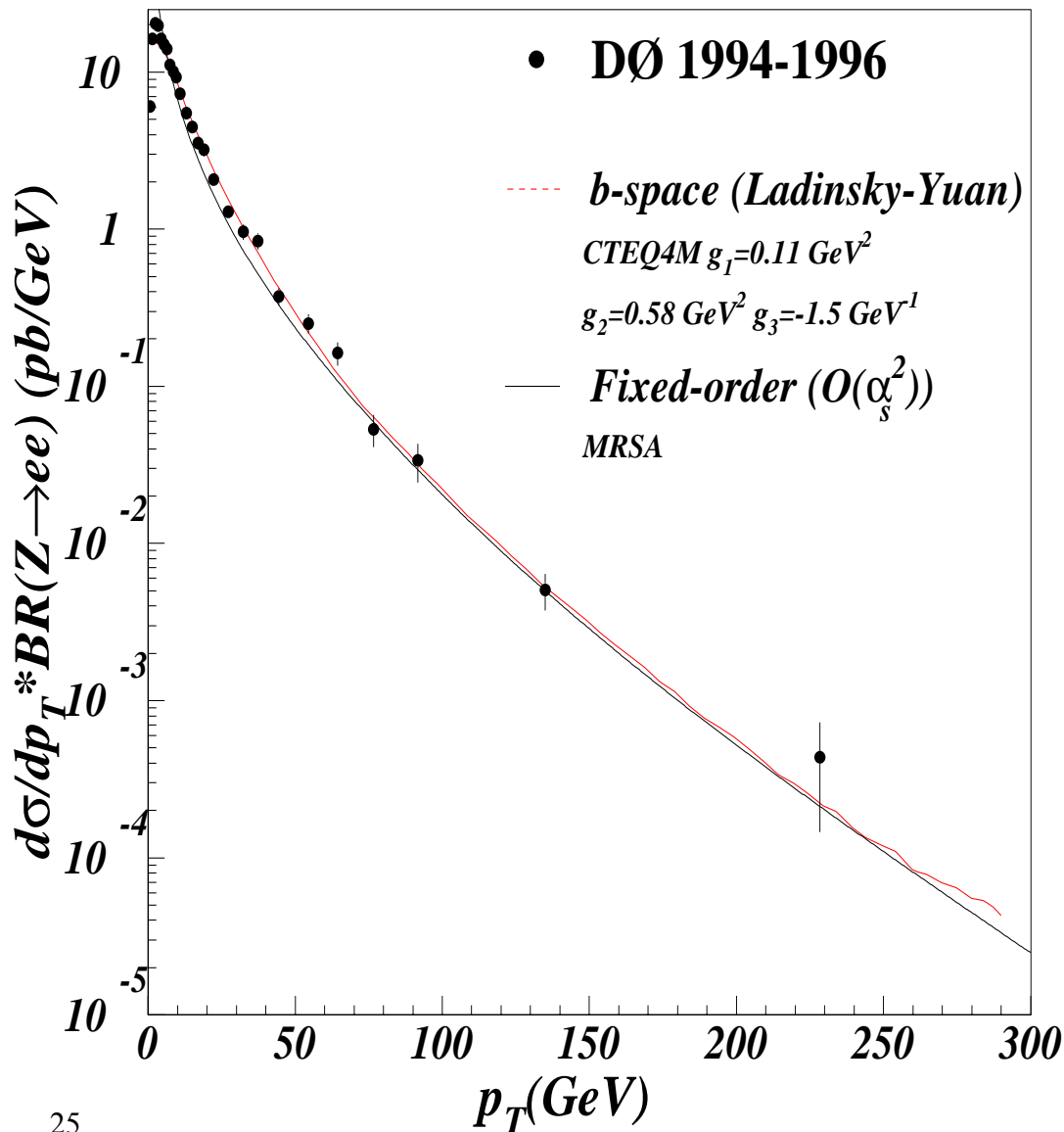
$Z \rightarrow ee$

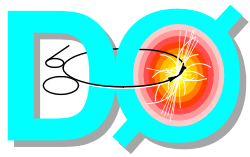




DO Z P_T measurement

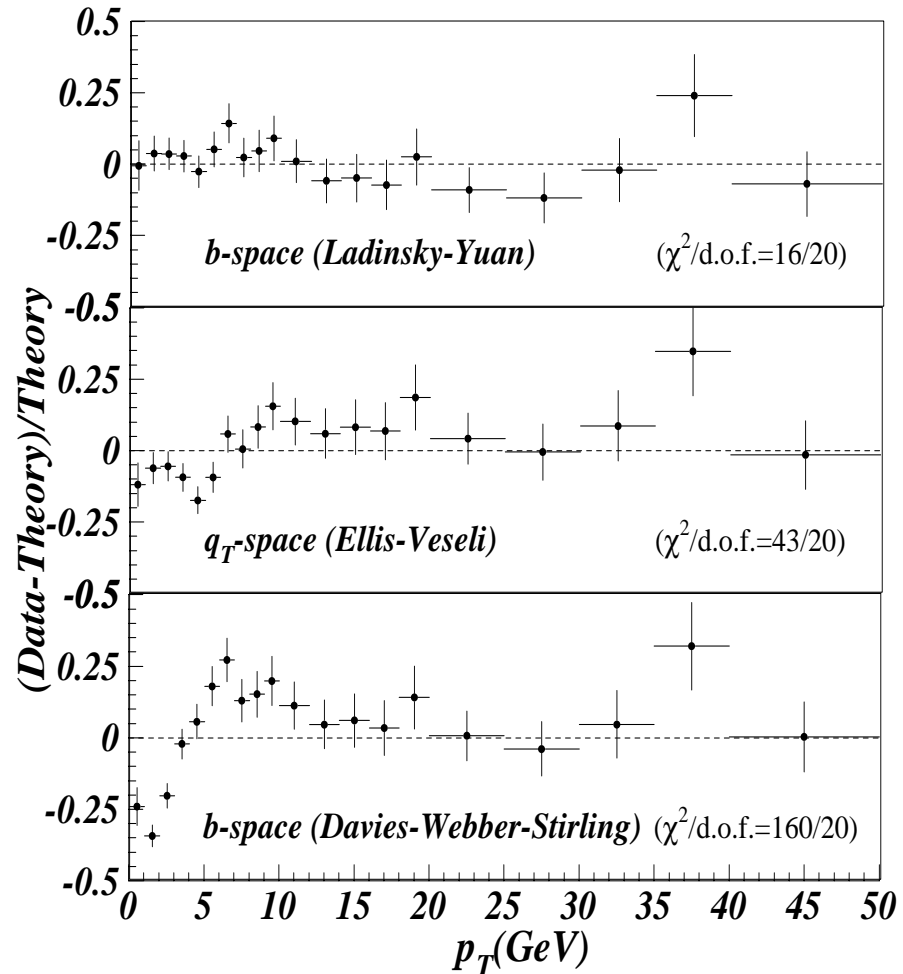
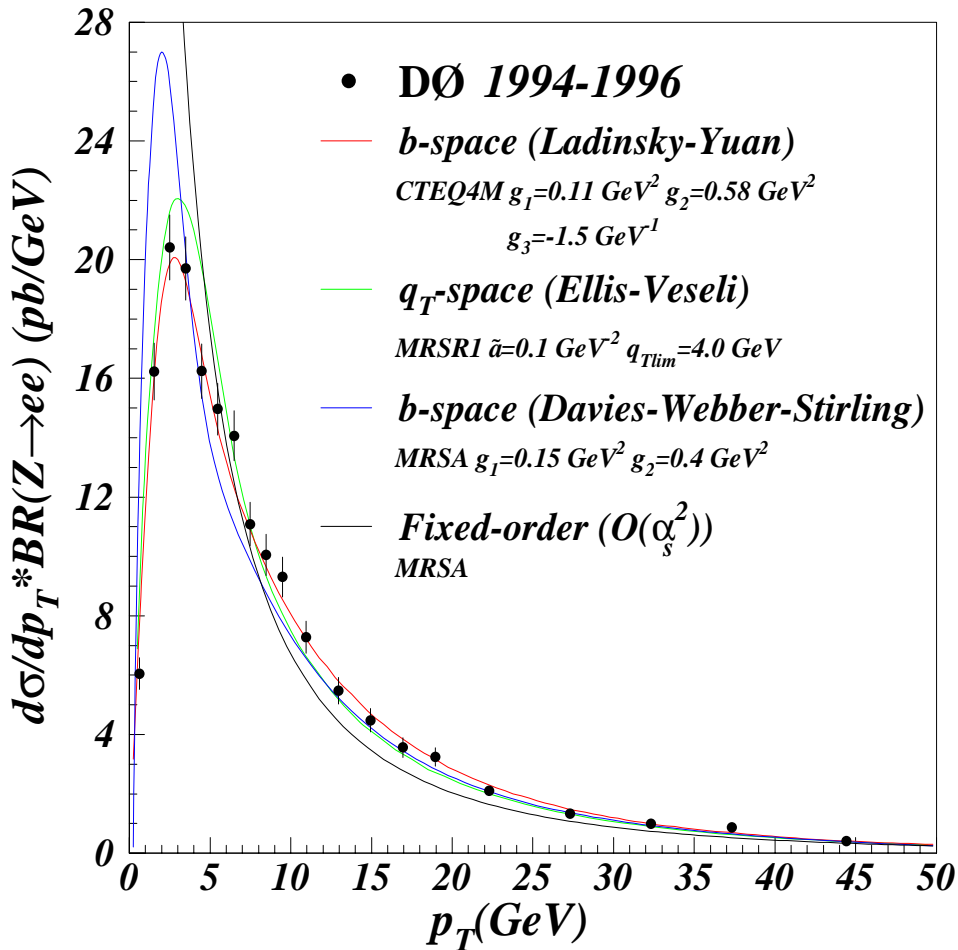
PRD 61, 32004 (2000) & PRL 84, 2792 (2000)

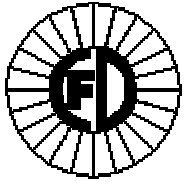




DØ Z P_T measurement

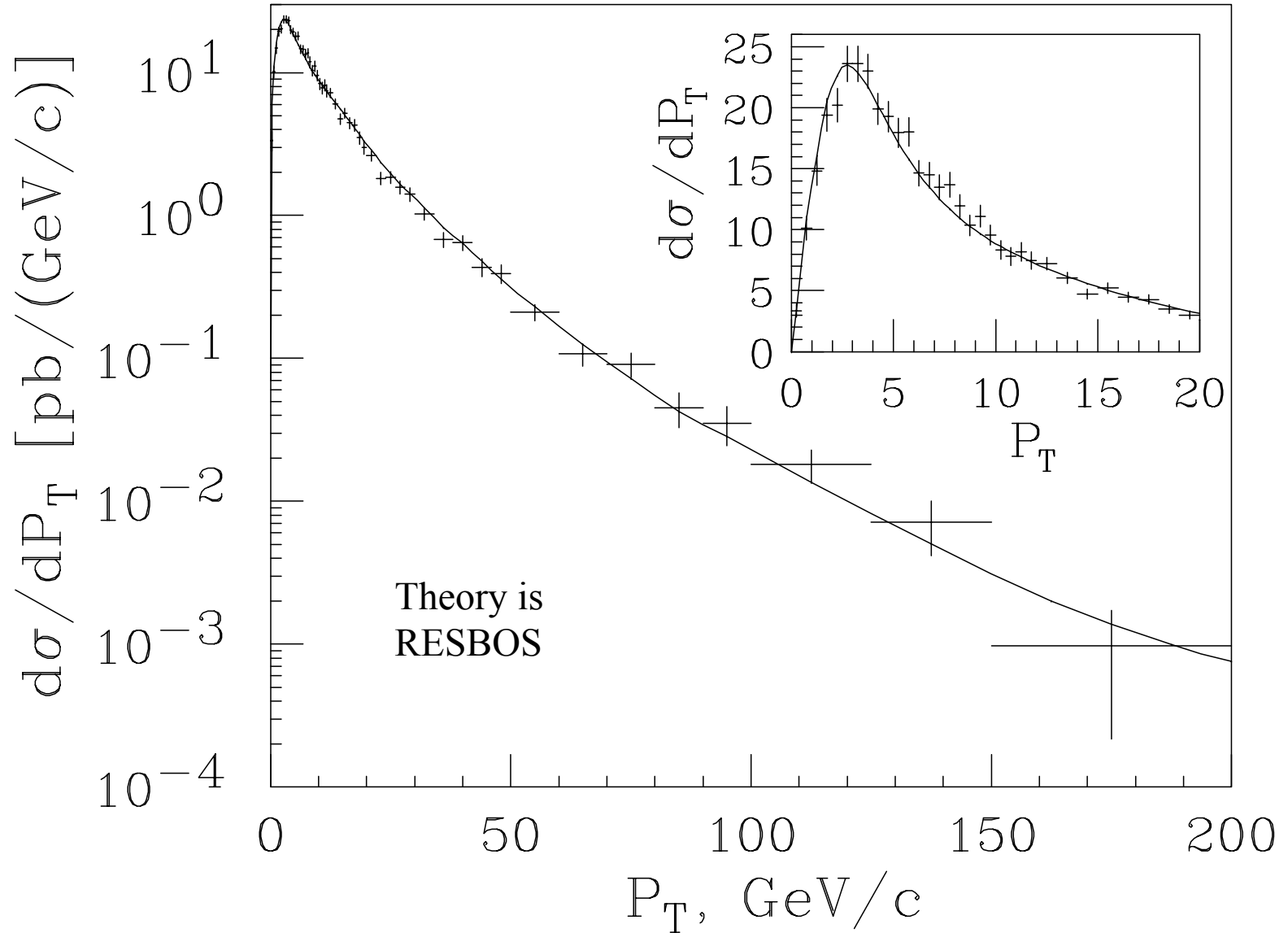
PRD 61, 32004 (2000) & PRL 84, 2792 (2000)

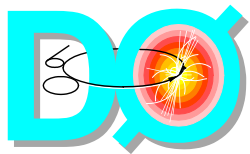




CDF Z P_T measurement

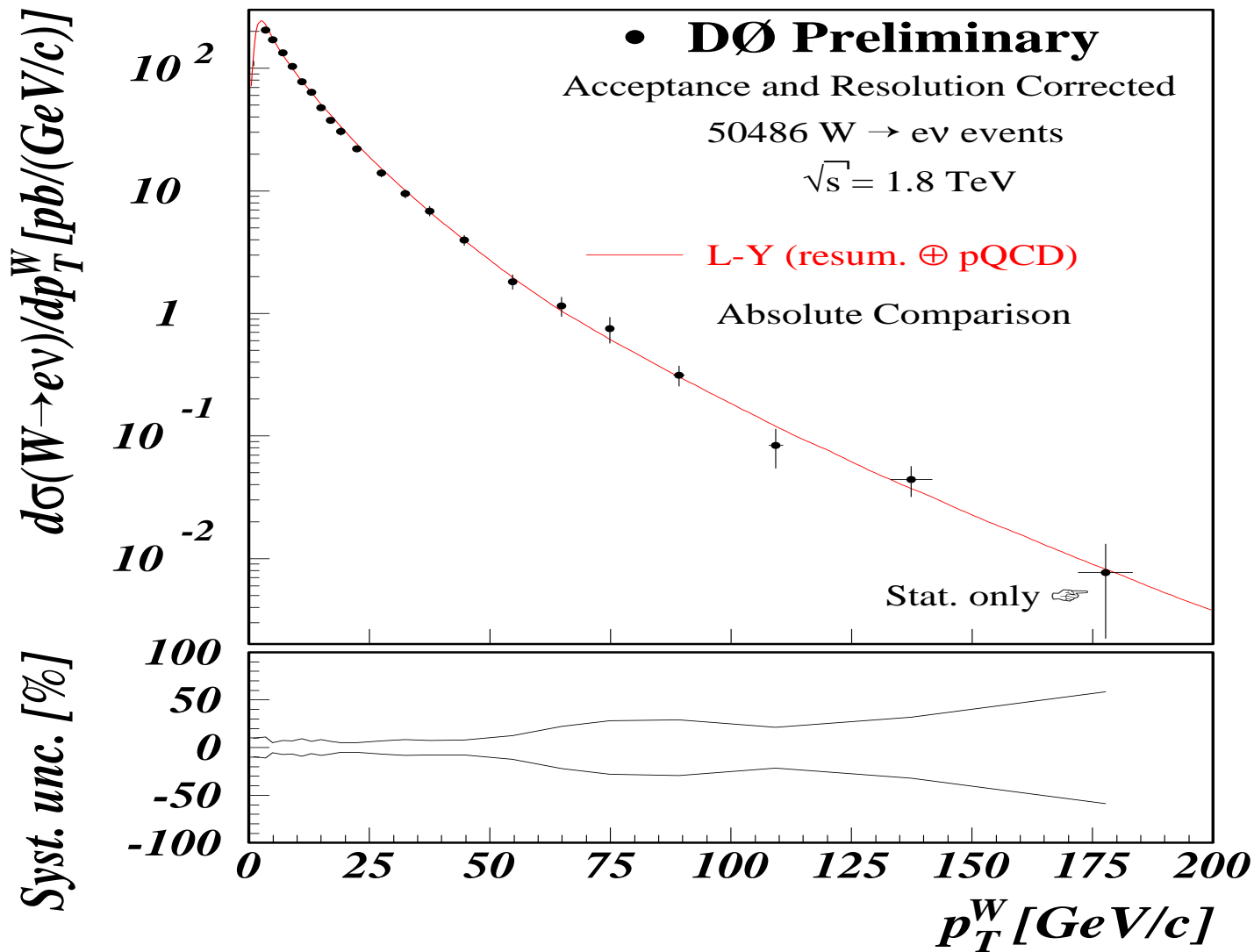
PRL 84, 845(2000)

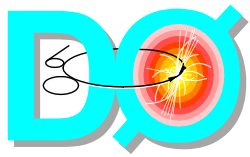




DO $W P_T$ measurement

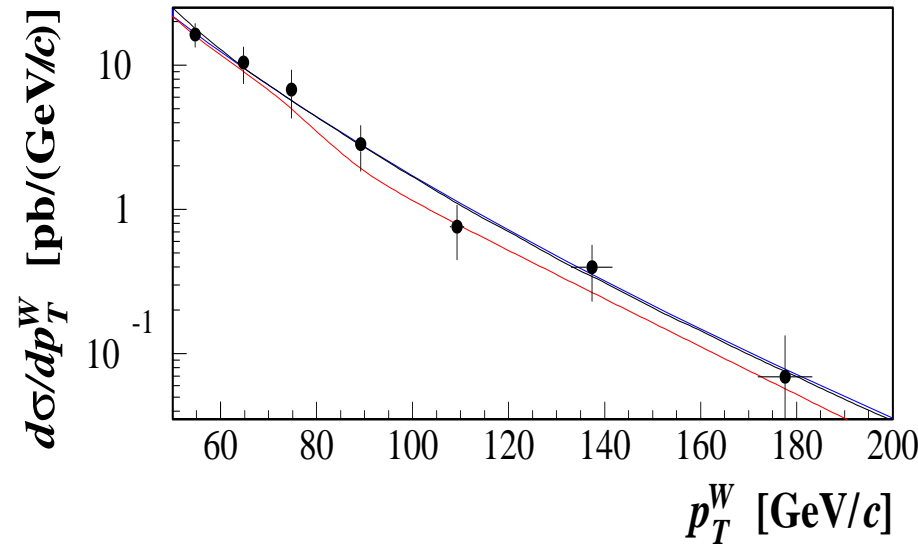
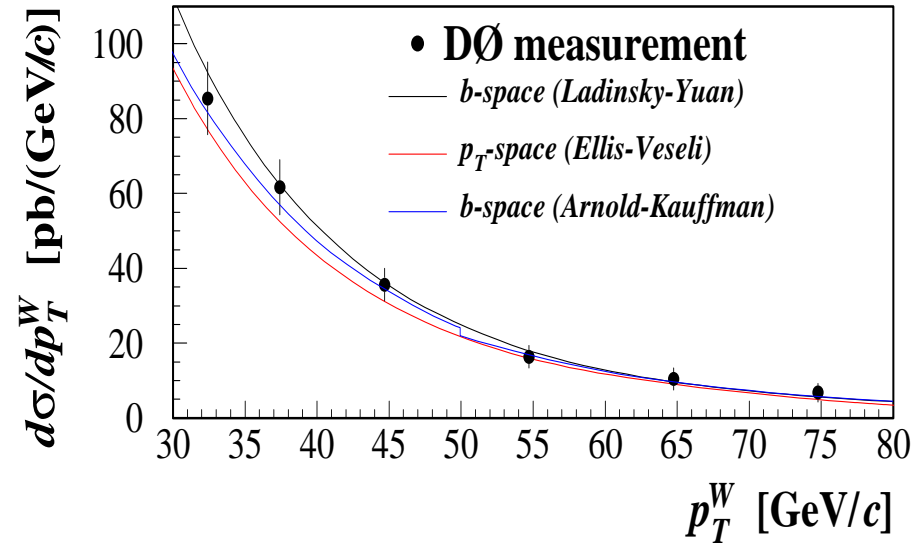
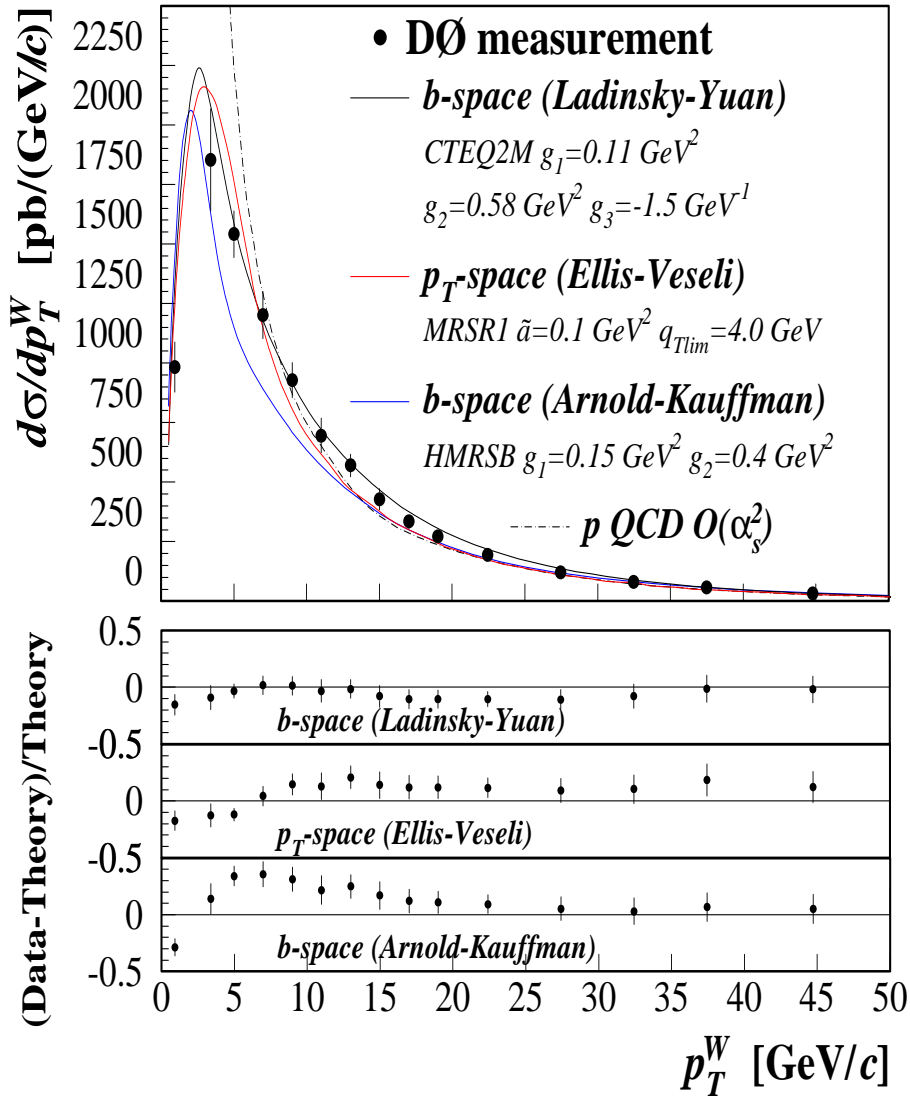
submitted to PRL, hep-ex/0010026





DØ W P_T measurement

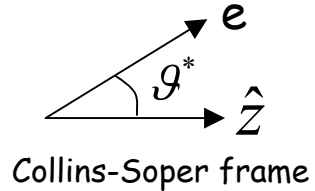
submitted to PRL, hep-ex/0010026



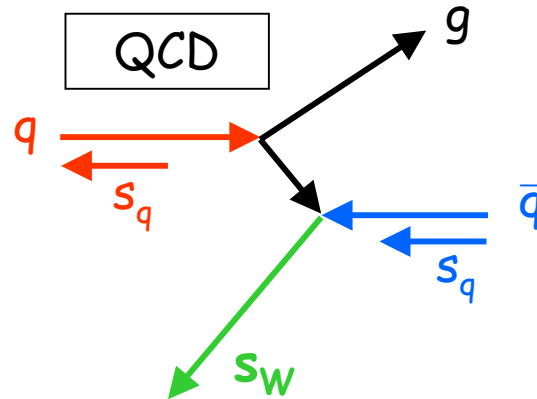
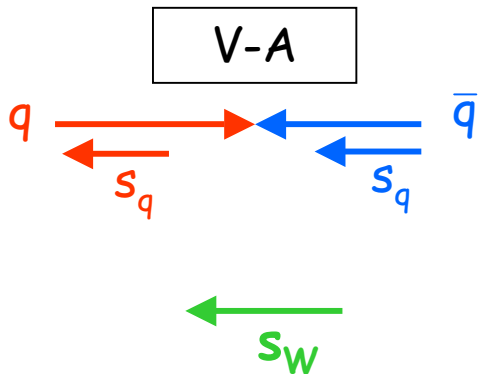
W Decay Distribution

Angular distribution of electron in W rest frame:

$$\text{Pure V-A: } \frac{d\sigma}{d \cos \vartheta^*} \propto (1 + P(W) \cos \vartheta^*)^2$$

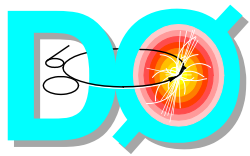


NLO QCD corrections to production modify this distribution:



$$\text{V-A + QCD: } \frac{d\sigma}{d \cos \vartheta^*} \propto 1 + P(W) \alpha_1 \cos \vartheta^* + \alpha_2 \cos^2 \vartheta^*$$

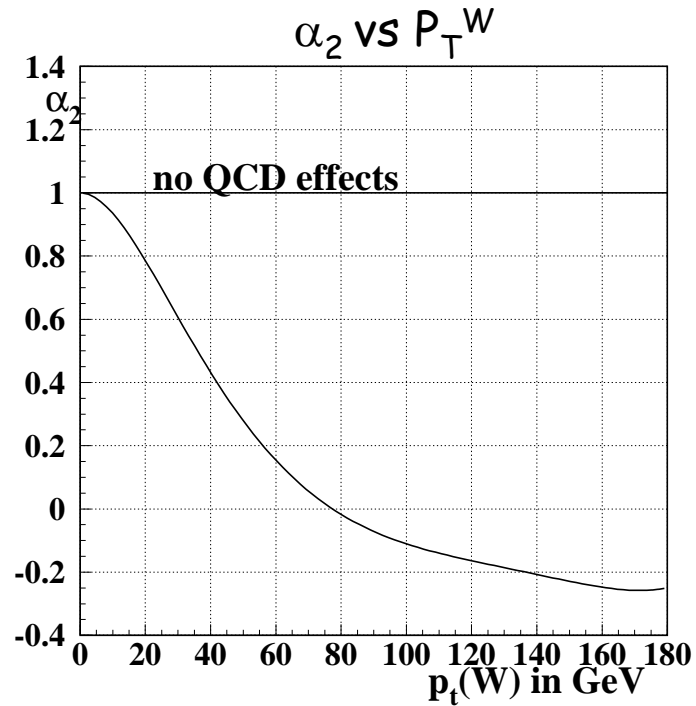
Mirkes, NP B387, 3 (1992) - $O(\alpha_s^2)$.



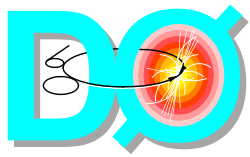
W Decay Distribution - α_2

$$\frac{d\sigma}{d\cos\vartheta^*} \propto 1 + P(W)\alpha_1 \cos\vartheta^* + \alpha_2 \cos^2\vartheta^*$$

V-A: $\alpha_2 = 1$



Including this effect in W mass Monte Carlo: $\Delta M_W \sim 40$ MeV (DO)



Method to measure α_2

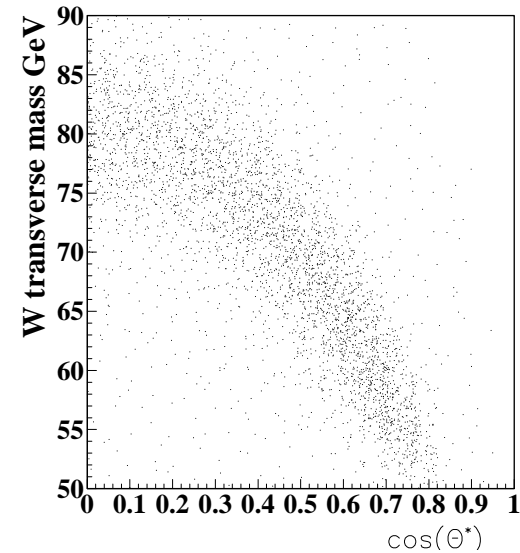
- $P_Z(\nu)$ unknown: W rest frame cannot be reconstructed
- Use correlation between $\cos\theta^*$ and M_T^W to infer $\cos\theta^*$ on a statistical basis
- Define probability function

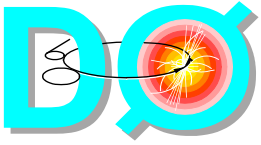
$$f(m_T, \cos\theta^*) = \frac{1}{N} g(m_T / \cos\theta^*) h(\cos\theta^*)$$

- For each $P_T(W)$ bin, plot background subtracted $m_T(W)$ and get

$$n_i = \sum_{m_{Tj}} N_{m_{Tj}} f(m_{Tj}, \cos\theta_i^*)$$

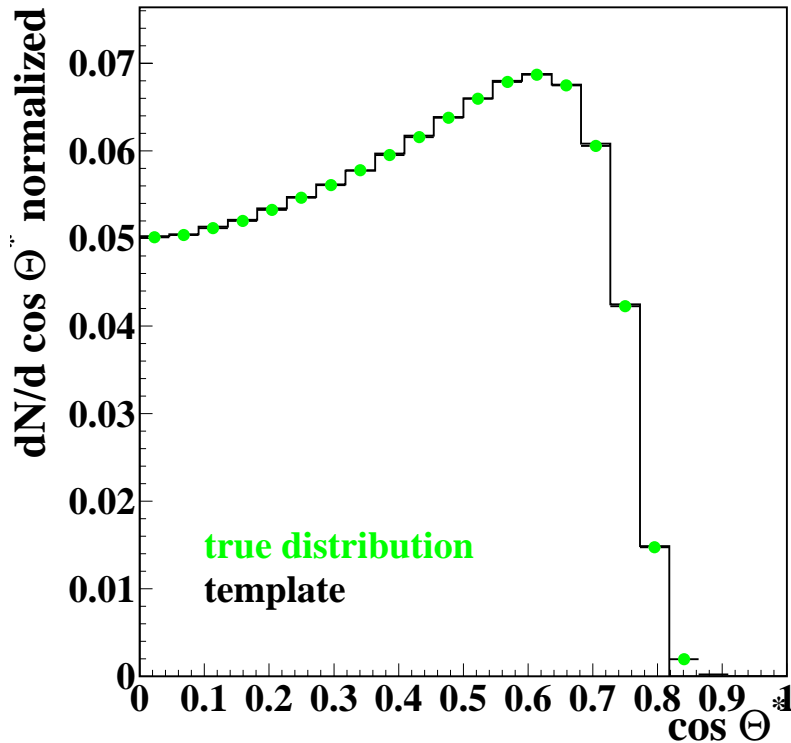
- Compare to n_i templates from MC
- Use log-likelihood to determine best value of $\alpha_2(P_T(W))$



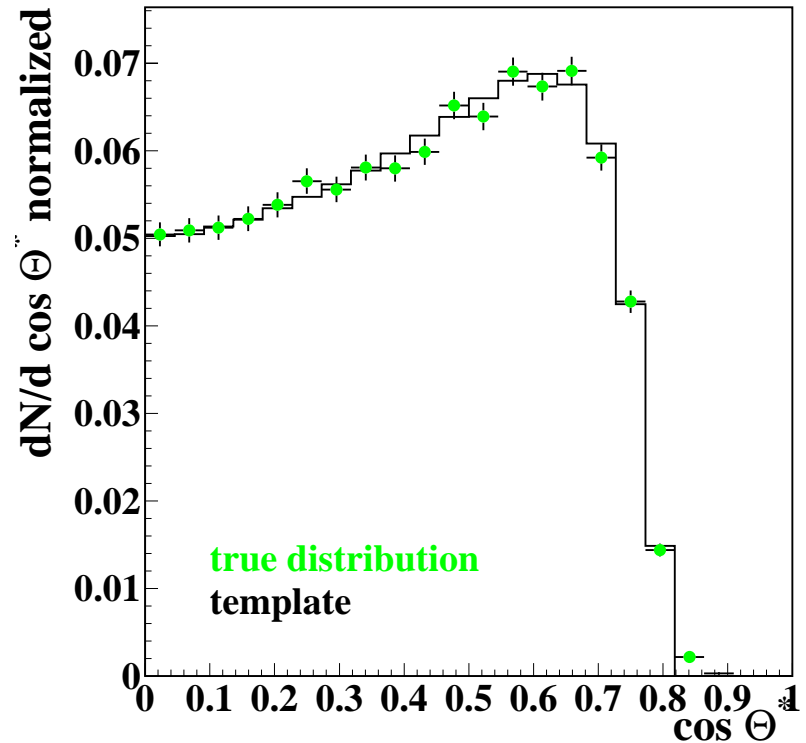


Monte Carlo Closure Test

Large Statistics

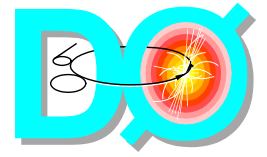


Statistics Scaled to Data

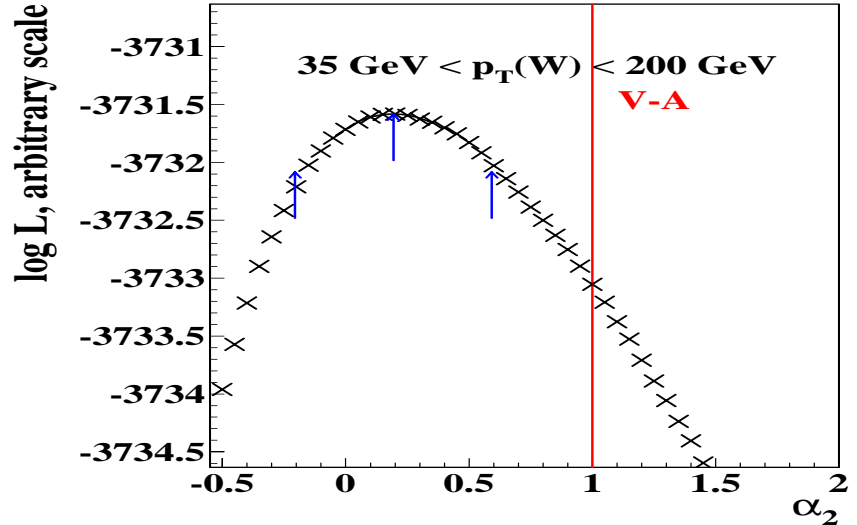
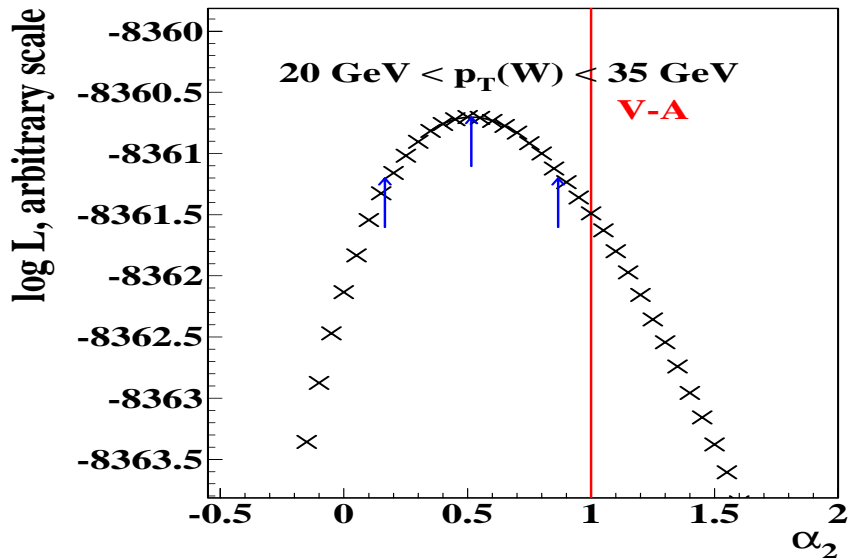
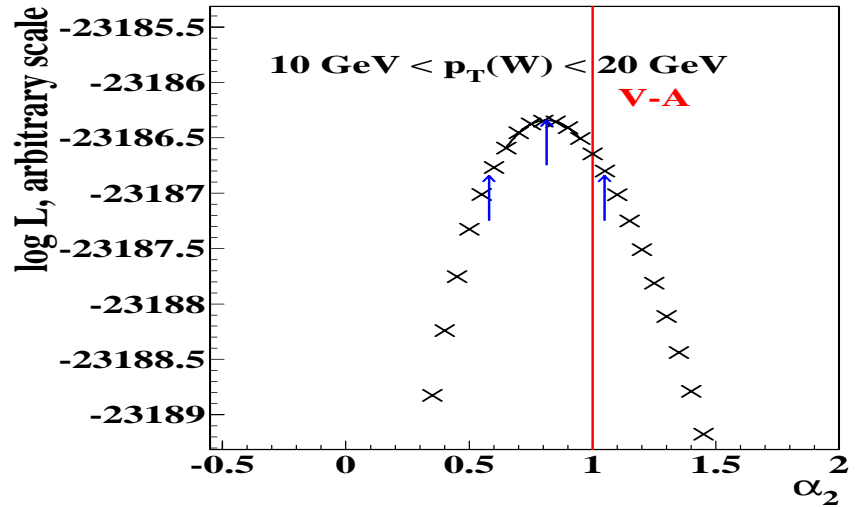
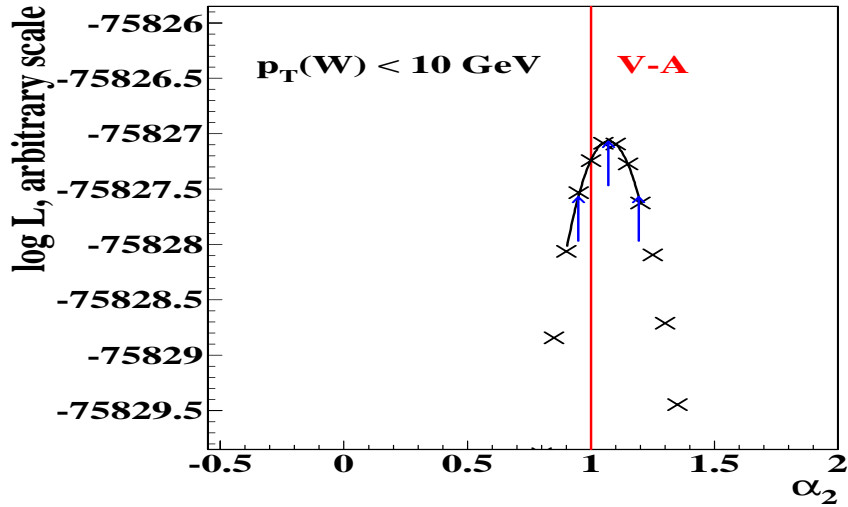


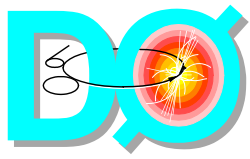
Method works!

Log-likelihood distributions



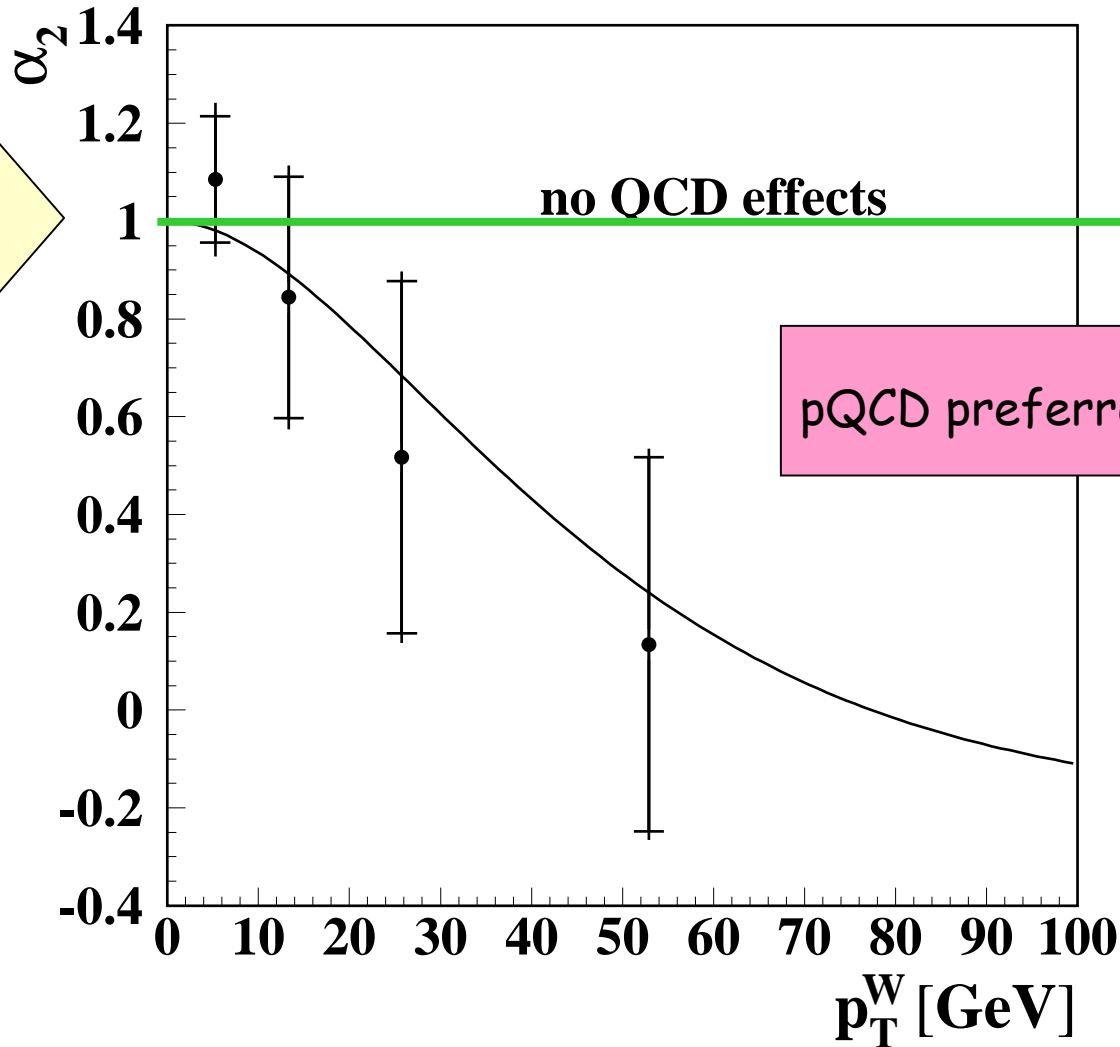
α_2 gets smaller for larger P_T





W Decay Distribution - α_2

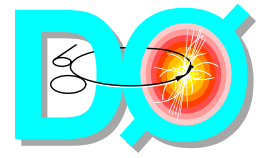
Submitted to PRD, hep-ex/0009034



V-A: $\alpha_2 = 1$

W Decay Distribution - α_2

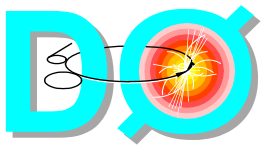
Submitted to PRD, hep-ex/0009034



p_T (GeV)	0-10	10-20	20-35	35-200
$\alpha_{2,\text{measured}}$	1.09	0.84	0.52	0.13
Stat. Errors	± 0.13	± 0.25	± 0.36	± 0.38
$\alpha_{2,\text{predicted}}$	0.98	0.89	0.68	0.24
Mean p_T^W	5.3	13.3	25.7	52.9
Combined	± 0.08	± 0.09	± 0.12	± 0.12

Syst.

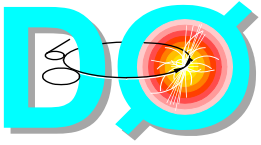
Measurement dominated by statistics



Systematic Errors

p_T (GeV)	0-10	10-20	20-35	35-200
QCD	± 0.04	± 0.05	± 0.09	± 0.07
$Z \rightarrow ee$	± 0.01	± 0.01	± 0.02	± 0.04
$t\bar{t}$	± 0.00	± 0.00	± 0.00	± 0.02
EM scale	± 0.06	± 0.05	± 0.03	± 0.04
Had Scale	± 0.03	± 0.01	± 0.04	± 0.04
Had Resol	± 0.02	± 0.02	± 0.05	± 0.06
fixed α_1	± 0.01	± 0.05	± 0.03	± 0.03
Total syst.	± 0.08	± 0.09	± 0.12	± 0.12

Estimated by generating $\cos \theta^*$ templates with varied parameters.



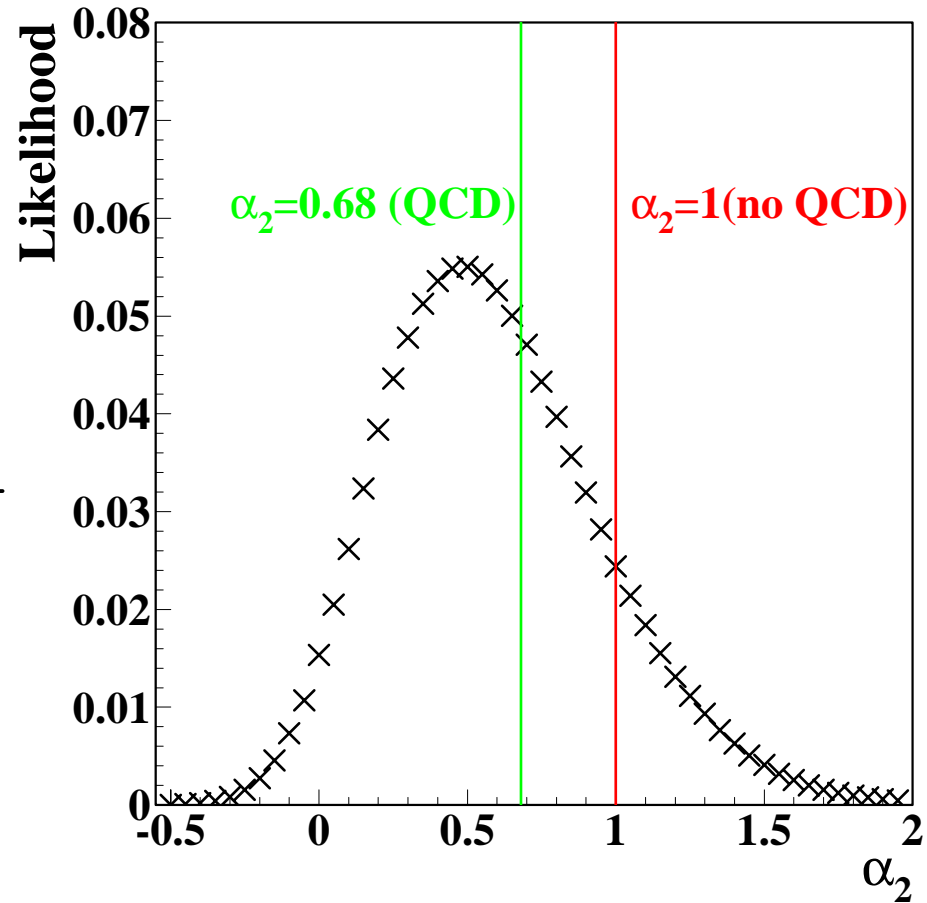
Significance Calculation

Odds-Ratio Method

$$R = \frac{\prod_i p_i(\alpha_2(QCD))}{\prod_i p_i(\alpha_2(no\ QCD))}$$

Log R = 0.5 \rightarrow 1 σ

We get 2.3 σ

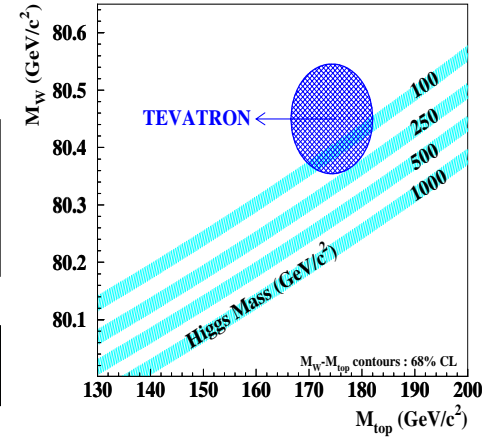


Connections between W,Z Production, QCD and New Physics

W boson mass + top quark mass: Constrain Higgs mass

Current CDF/DØ $\delta M_W \sim 5\text{-}40$ MeV from P_T^W model
 $\delta M_W = 10$ MeV $\Rightarrow \delta M_H/M_H = 14\%$

W production Monte Carlos tuned to Z data



NLO QCD

Non-perturbative QCD

Resummation techniques

W measured distributions "confirm" formalism(s)

Z P_T distributions constrain non-pert. parameters

Conclusions

- **W, Z inclusive cross sections** in good agreement with SM.
Stat \oplus Sys $\sim 2\%$, Luminosity error $\sim 4\%$, Theory error: $\sim 3\%$
Maybe use to *determine* luminosity in Run II.
- **W width** measurement (direct and indirect) in good agreement with SM.
Indirect measurement error $\sim 3\%$
- **W, Z P_T distributions** measured.
D0 measurements over wide range of P_T with errors $\sim 10 - 20\%$
Testing NLO QCD + resummation + non-perturbative models,
implications for Higgs P_T predictions.
- QCD correction to **W decay distribution** confirmed.
D0 measurement of α_2 vs P_T^W

Preparing for Run 2: expect to collect 2fb^{-1} during 2001-2003

W/Z + jets will have statistics comparable to Run 1 jet physics